

News on the Cluster Model

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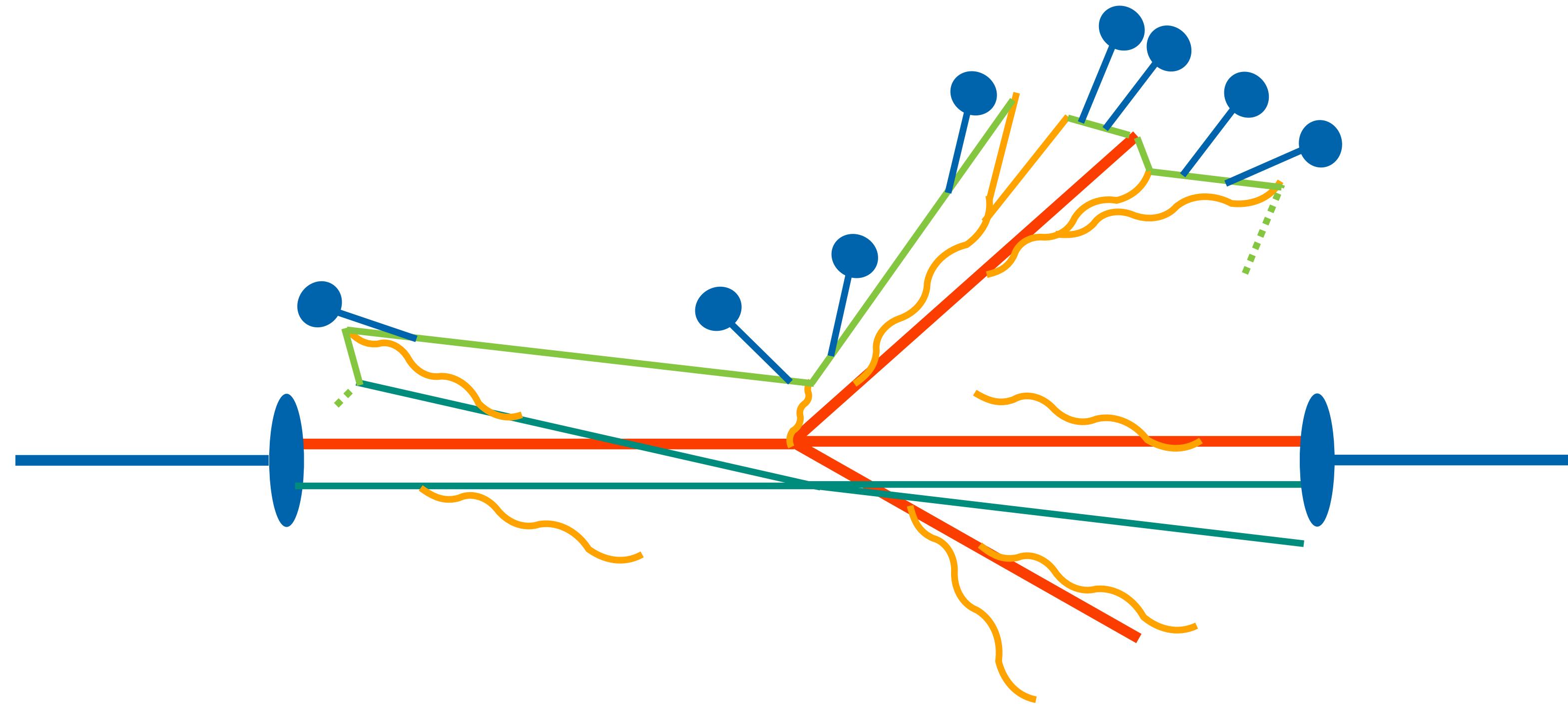
At the
MPI@LHC workshop
Madrid/Online | 17 November 2022

QCD & Event Generators

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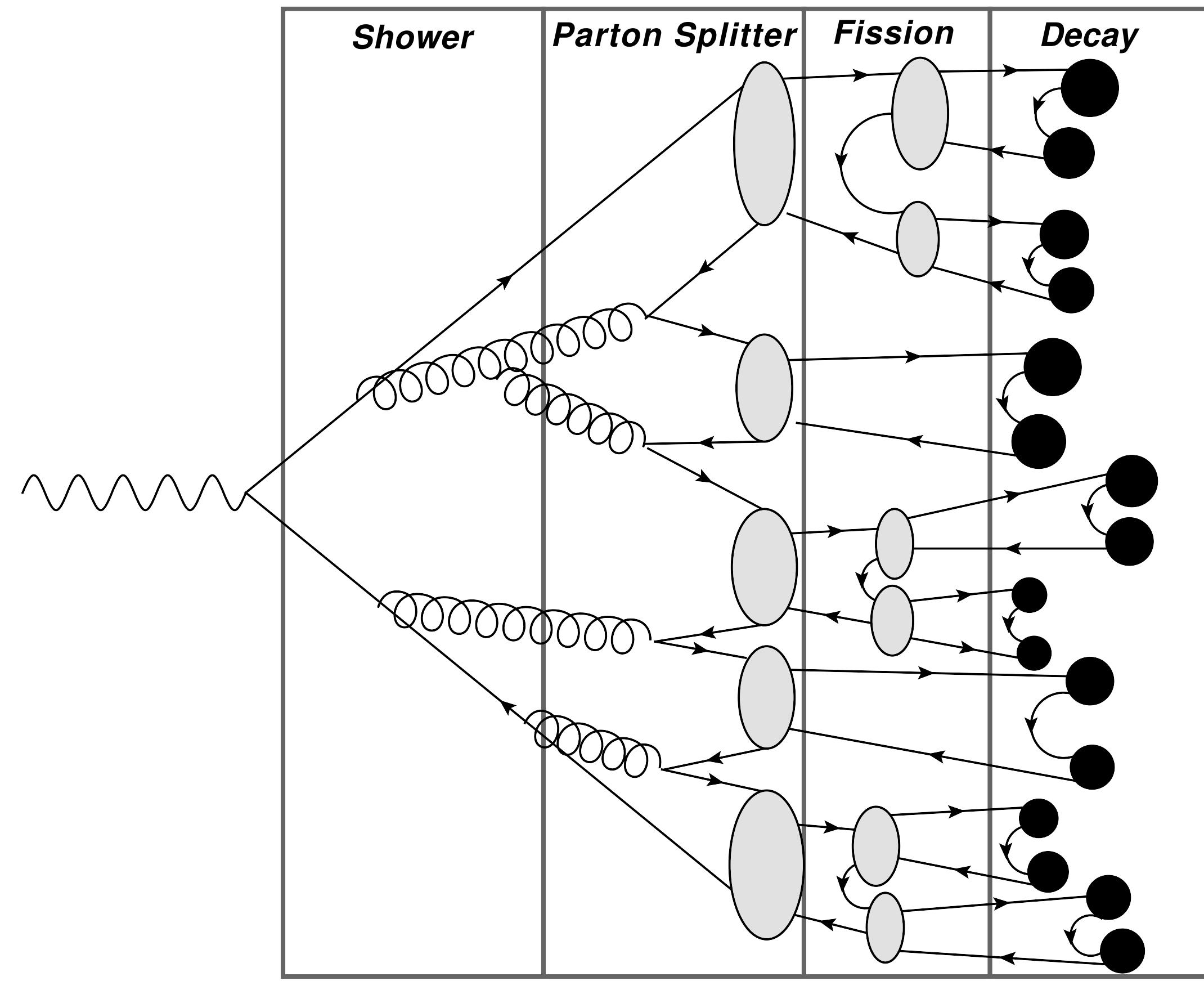
$$d\sigma \sim L \times d\sigma_H(Q) \times PS(Q \rightarrow \mu) \times MPI \times Had(\mu \rightarrow \Lambda) \times \dots$$

The Herwig hadronization model

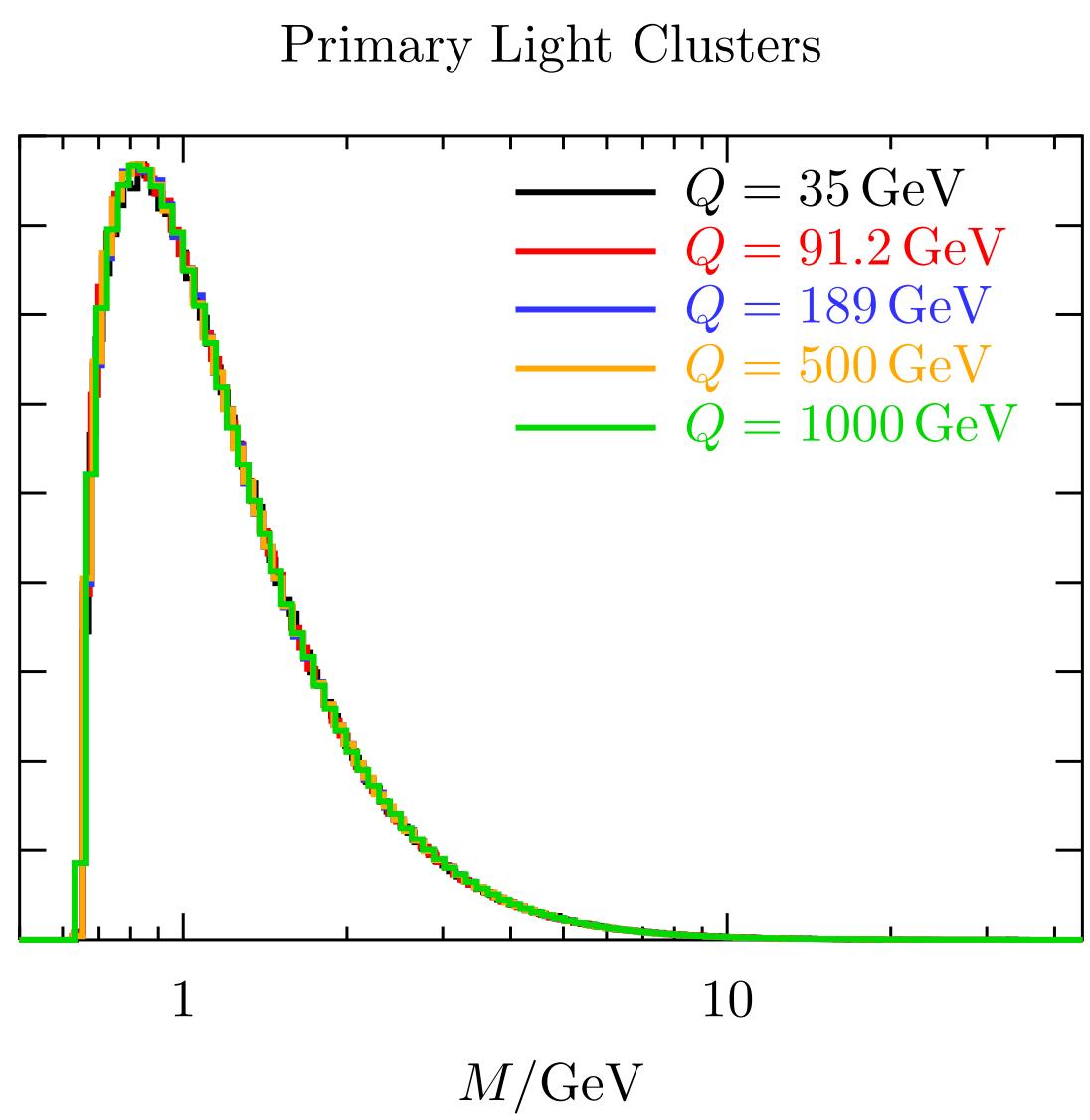
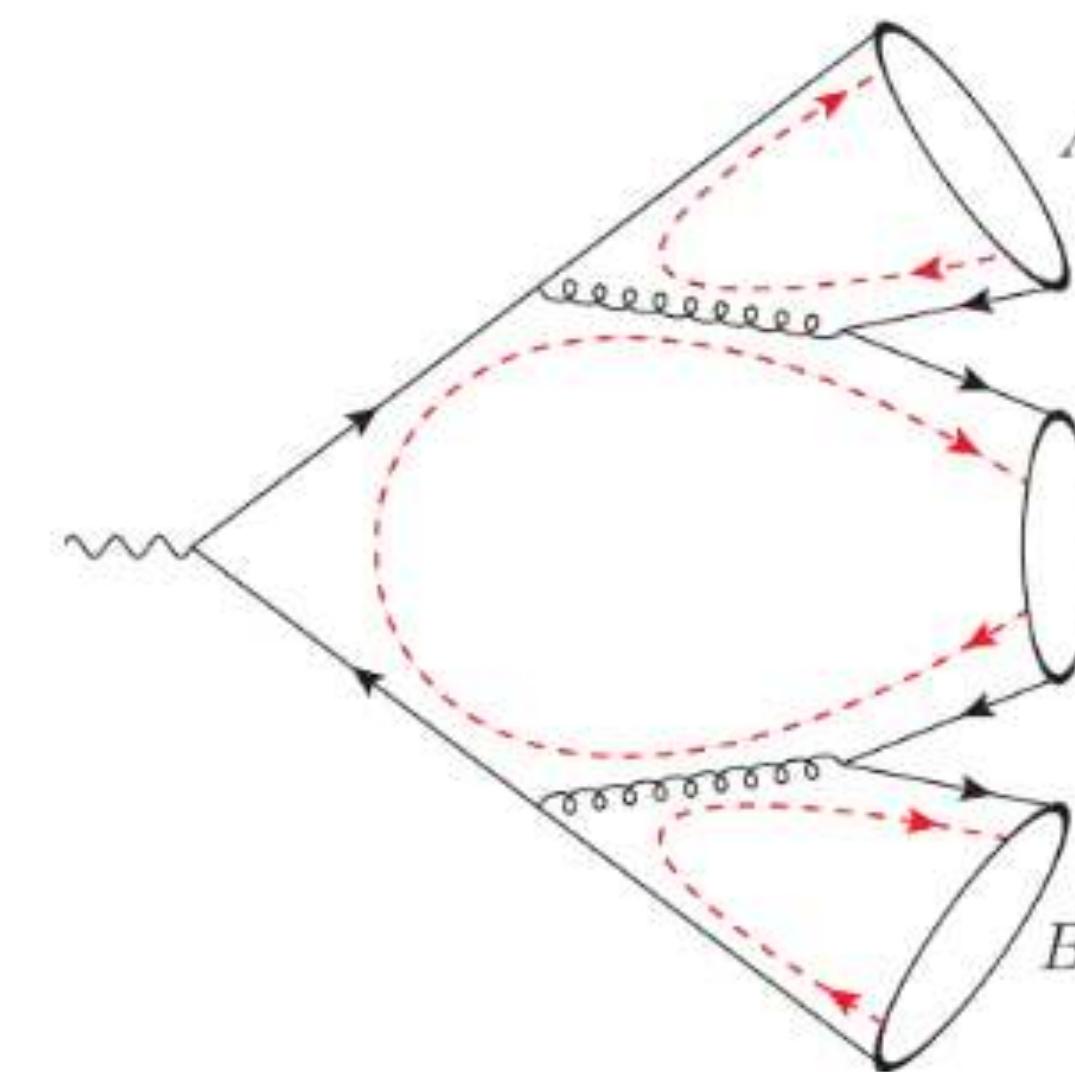
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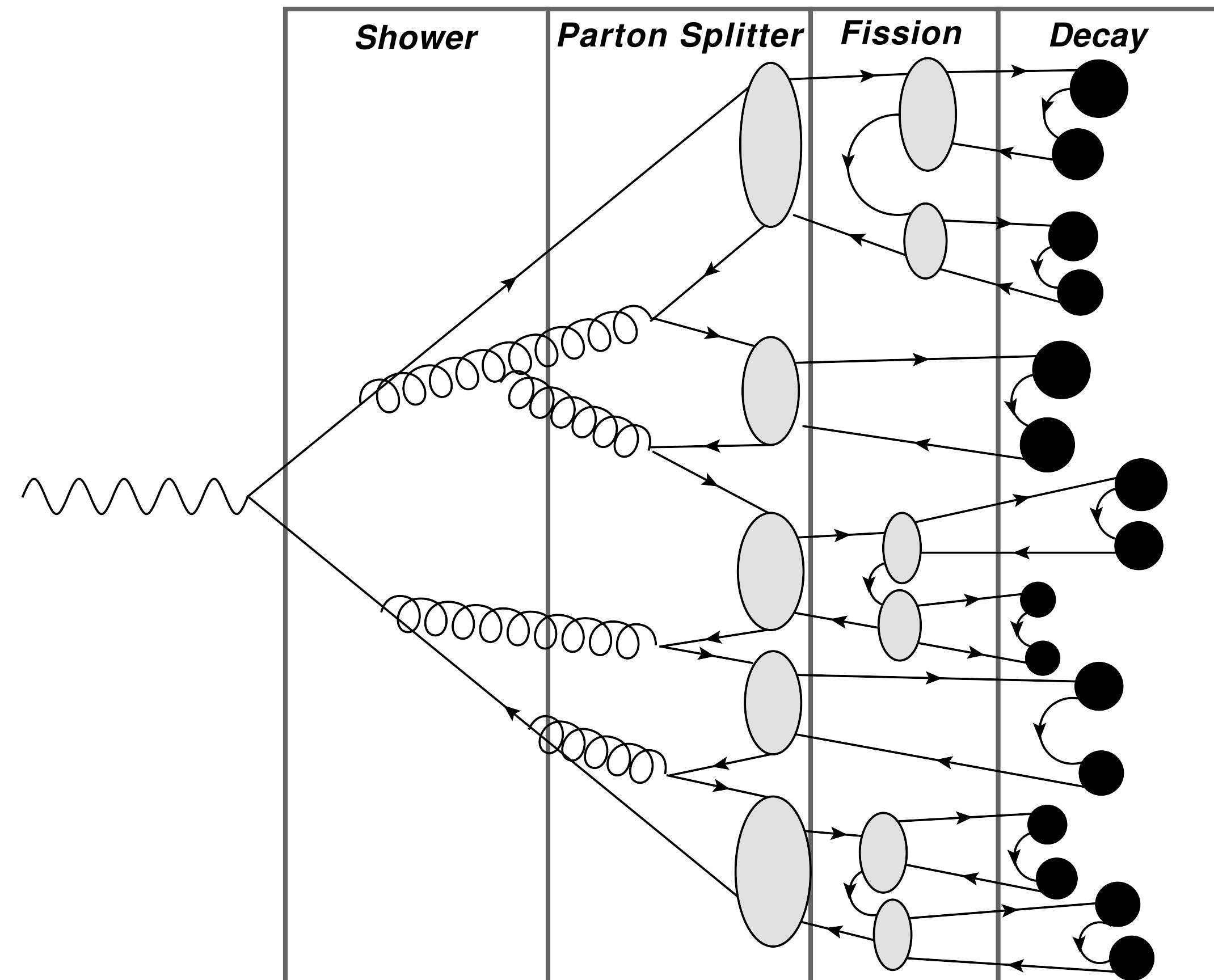
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Coherent shower evolution triggers universal cluster spectrum: pre-confinement.



The Herwig hadronization model



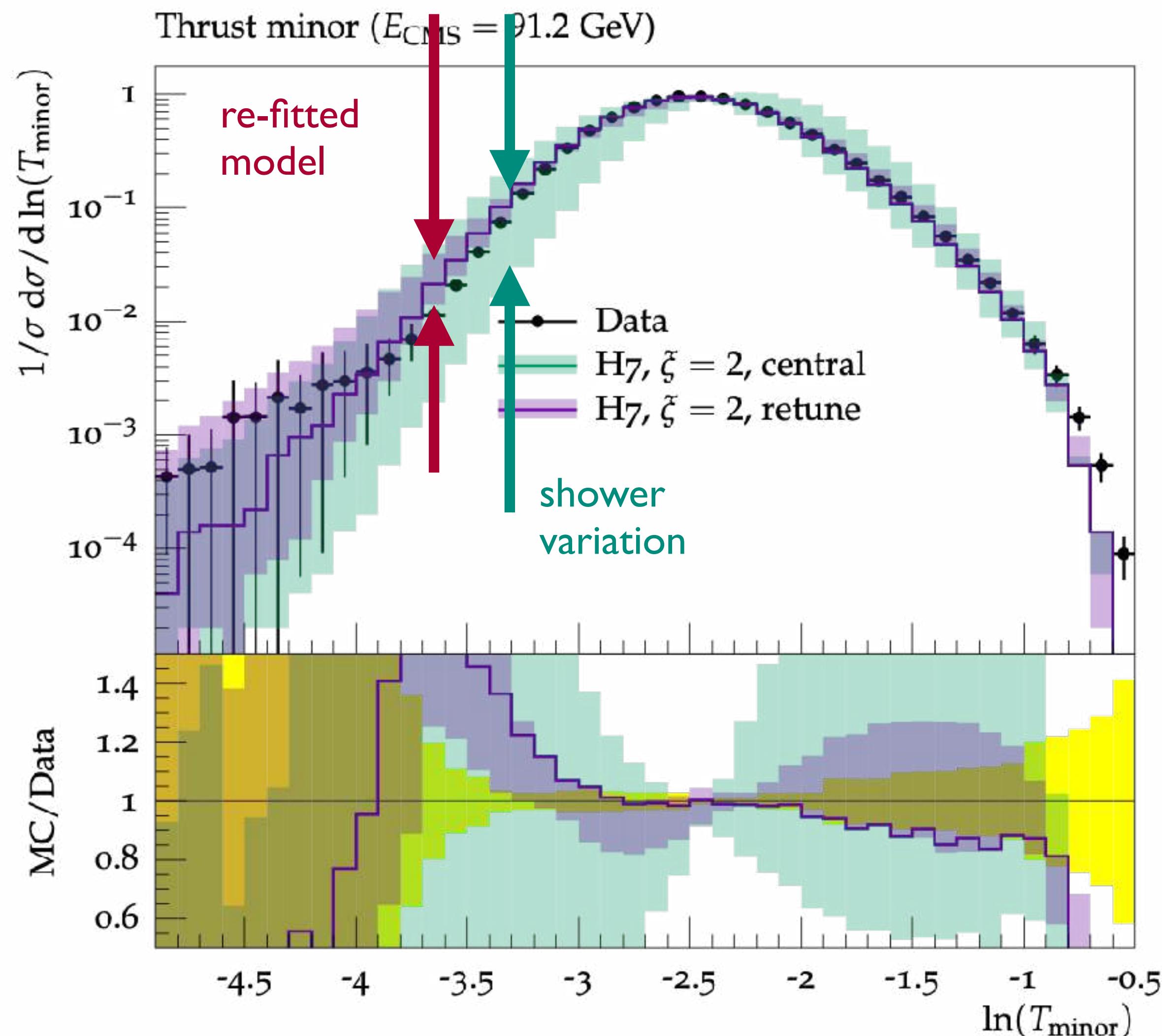
Clusters come as “mesonic” and “baryonic”.
The latter are only produced through beam
remnants or colour reconnection.

Cluster fission happens above a mass threshold:
~ longitudinal decay into smaller mass clusters.

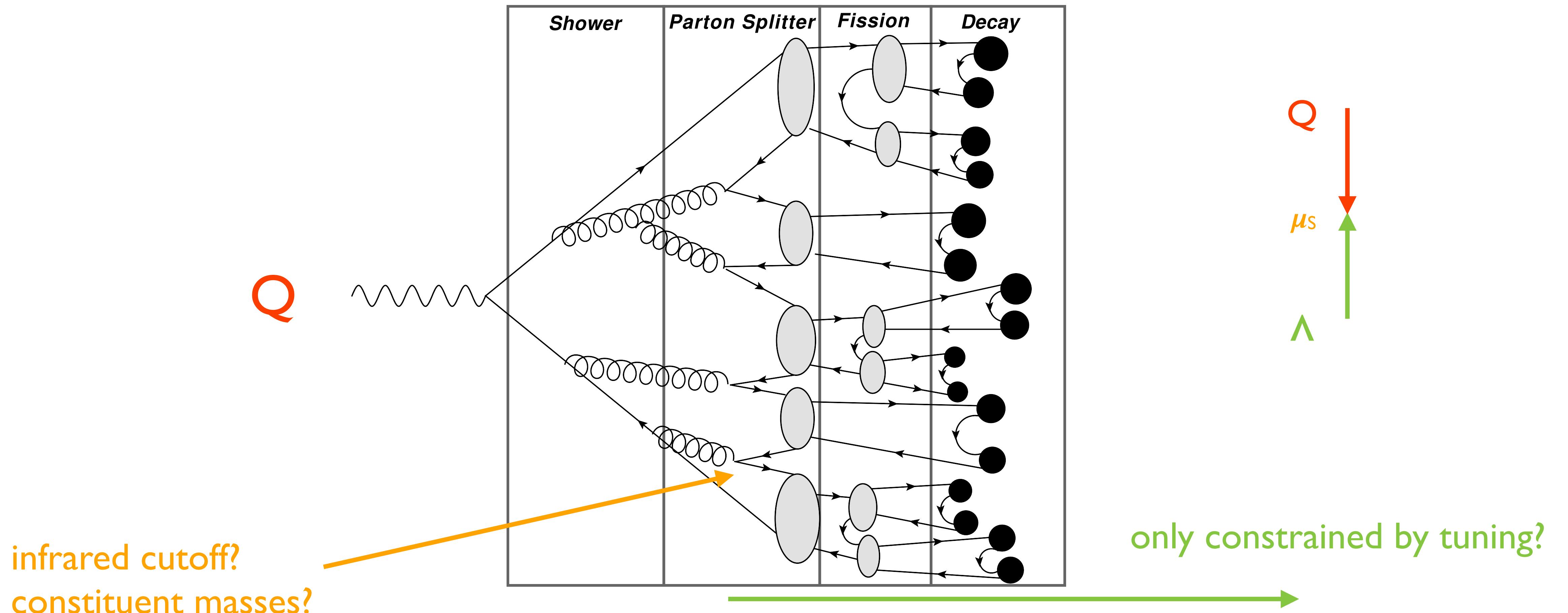
When light enough they decay into hadrons:
driven by quark content, phase space, spin
degeneracy.

Motivation

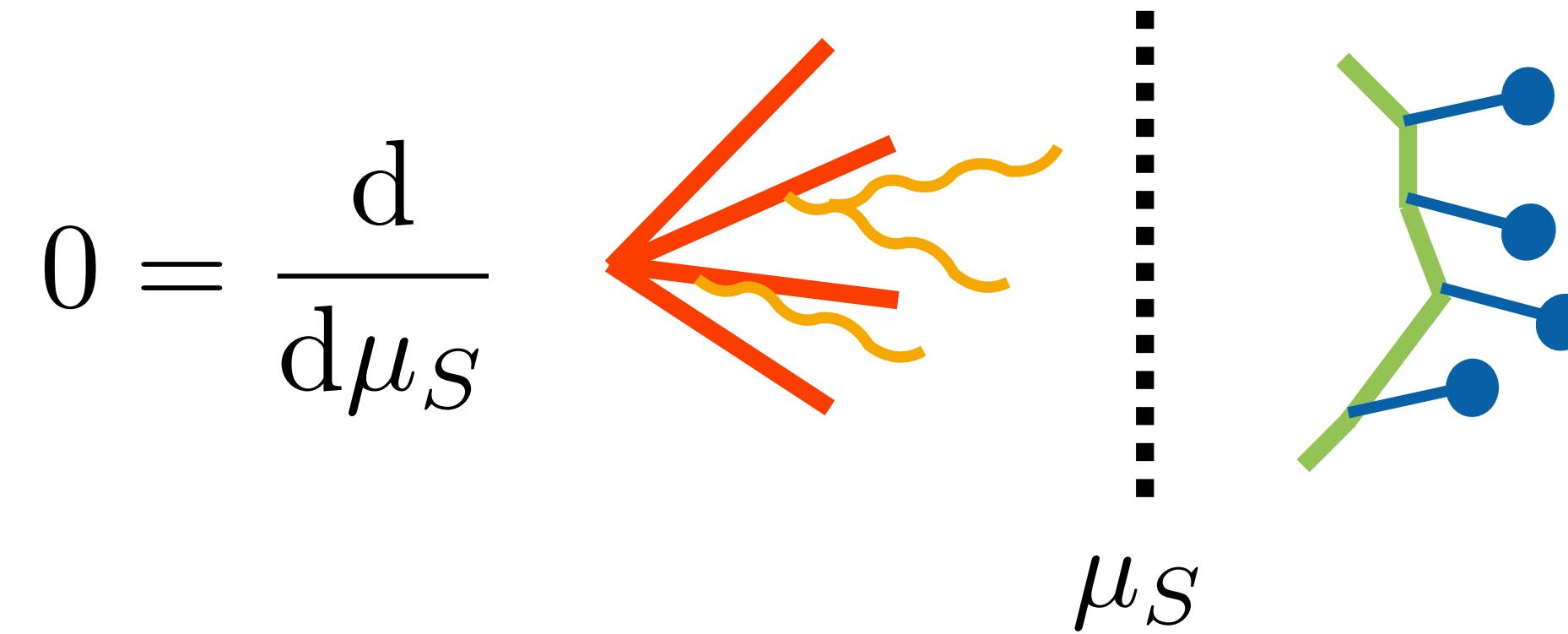
[Bellm, Lönnblad, Plätzer, Prestel, Samitz, Siodmok, Hoang — Les Houches 2017]



Motivation



Evolving hadronization



$$0 = \frac{d}{d\mu_S}$$

Hadronization corrections in (massive) thrust obey R evolution:

cutoff dependence of hadronization

$$\tau_{\text{peak}}(Q_0) = \tau_{\text{peak}}(Q'_0) - \frac{1}{Q} \left(16C_F - 8\pi C_F \frac{m}{Q} \right) \int_{Q'_0}^{Q_0} dR \frac{\alpha_s(R)}{4\pi}$$

cutoff dependence of heavy quark

Evolving hadronization

$$0 = \frac{d}{d\mu_S} \quad \begin{array}{c} \text{red wavy lines} \\ \text{yellow wavy lines} \end{array} \quad \begin{array}{c} \text{dotted vertical line} \\ \mu_S \end{array} \quad \begin{array}{c} \text{green lines} \\ \text{blue dots} \end{array}$$

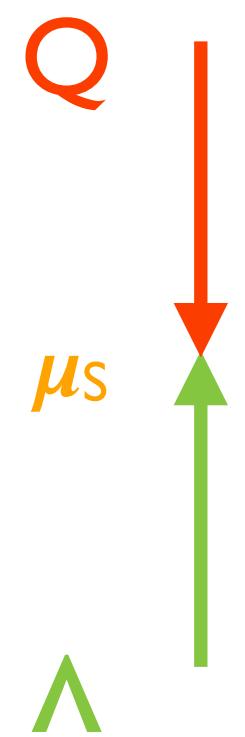
Colour evolution equations from projection onto hadrons

[Plätzer – arXiv:2204.06956]

$$\partial_S \mathbf{A}_n = \boldsymbol{\Gamma}_{n,S} \mathbf{A}_n + \mathbf{A}_n \boldsymbol{\Gamma}_{n,S}^\dagger - \sum_{s \geq 1} \alpha_S^s \mathbf{R}_{S,n}^{(s)} \mathbf{A}_{n-s} \mathbf{R}_{S,n}^{(s)\dagger}$$

$$\partial_S \equiv \partial / \partial \log \mu_S$$

$$\partial_S \mathbf{S}_n = -\tilde{\boldsymbol{\Gamma}}_{S,n}^\dagger \mathbf{S}_n - \mathbf{S}_n \tilde{\boldsymbol{\Gamma}}_{S,n} + \sum_{s \geq 1} \alpha_S^s \int \tilde{\mathbf{R}}_{S,n+s}^{(s)\dagger} \mathbf{S}_{n+s} \tilde{\mathbf{R}}_{S,n+s}^{(s)} \prod_{i=n+1}^{n+s} [dp_i] \delta(p_i)$$



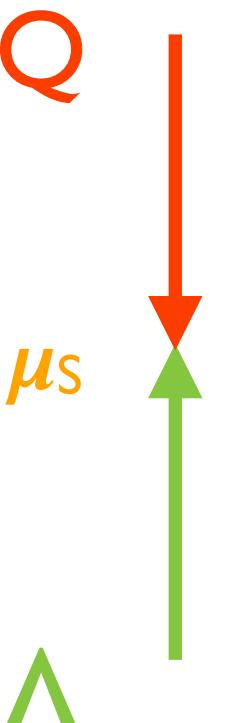
Evolving hadronization

[Plätzer — arXiv:2204.06956]

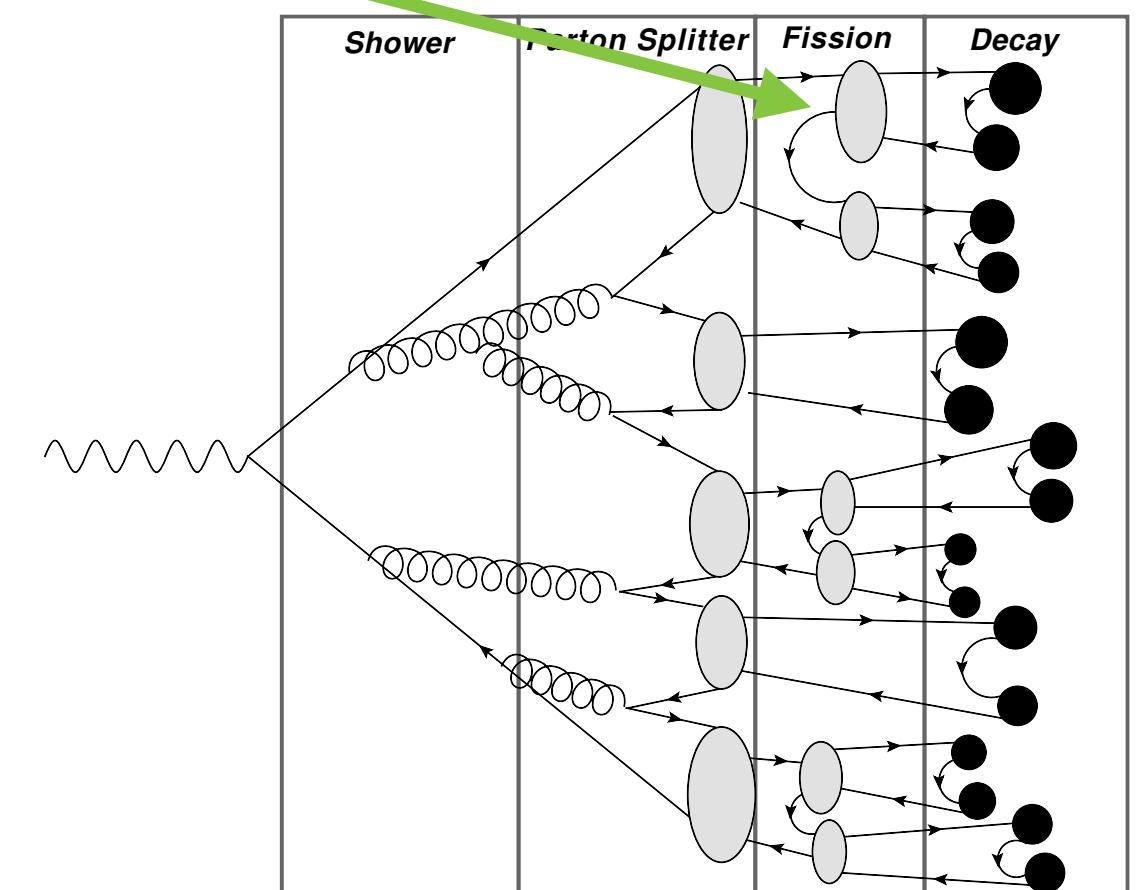
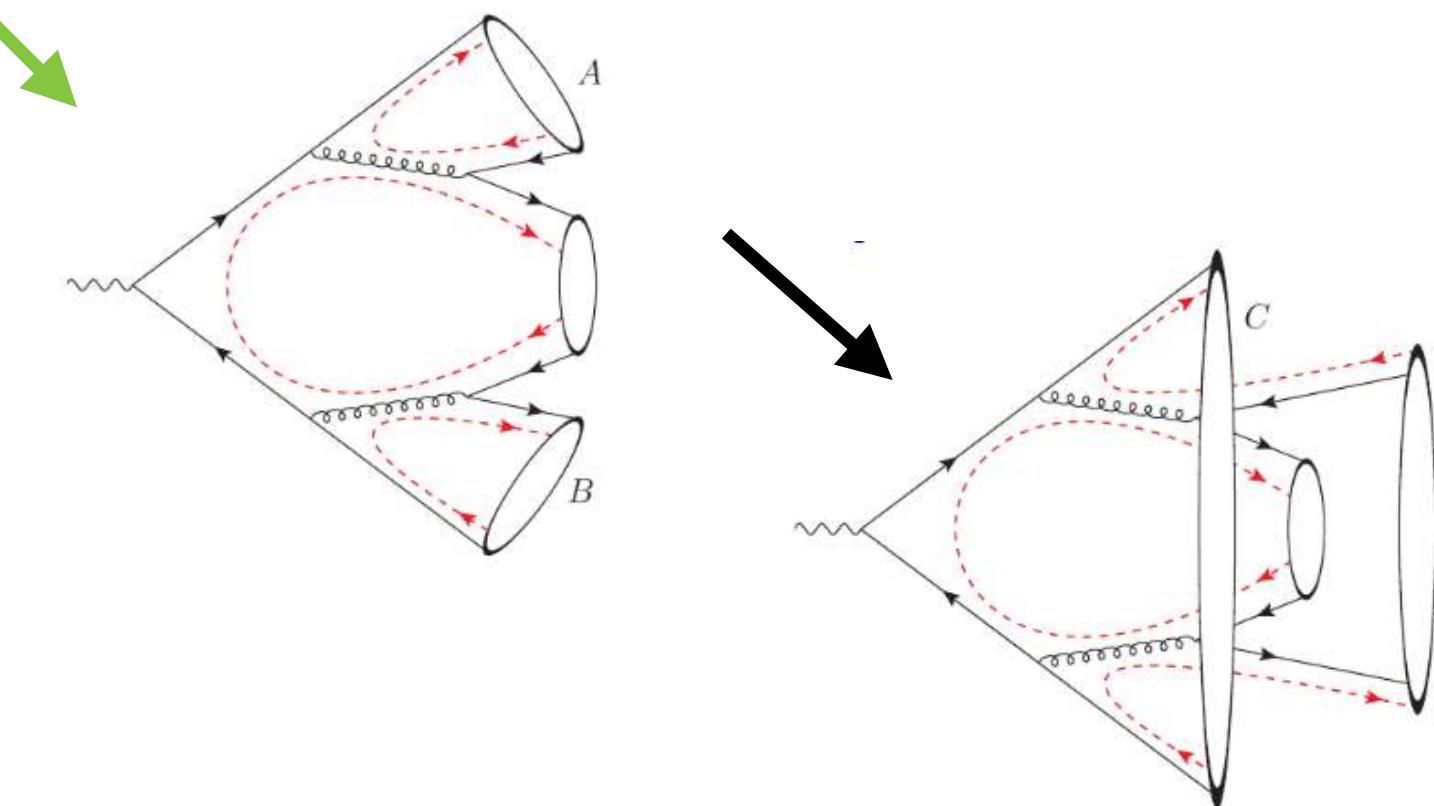
$$\partial_S \mathbf{A}_n = \Gamma_{n,S} \mathbf{A}_n + \mathbf{A}_n \Gamma_{n,S}^\dagger - \sum_{s \geq 1} \alpha_S^s \mathbf{R}_{S,n}^{(s)} \mathbf{A}_{n-s} \mathbf{R}_{S,n}^{(s)\dagger}$$

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Reproduce key features of “high energy end” of cluster hadronization.



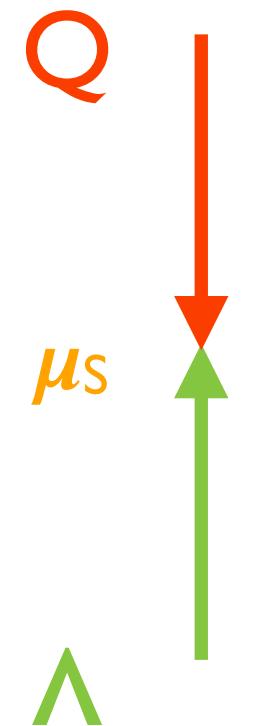
Evolving hadronization

[Plätzer — arXiv:2204.06956]

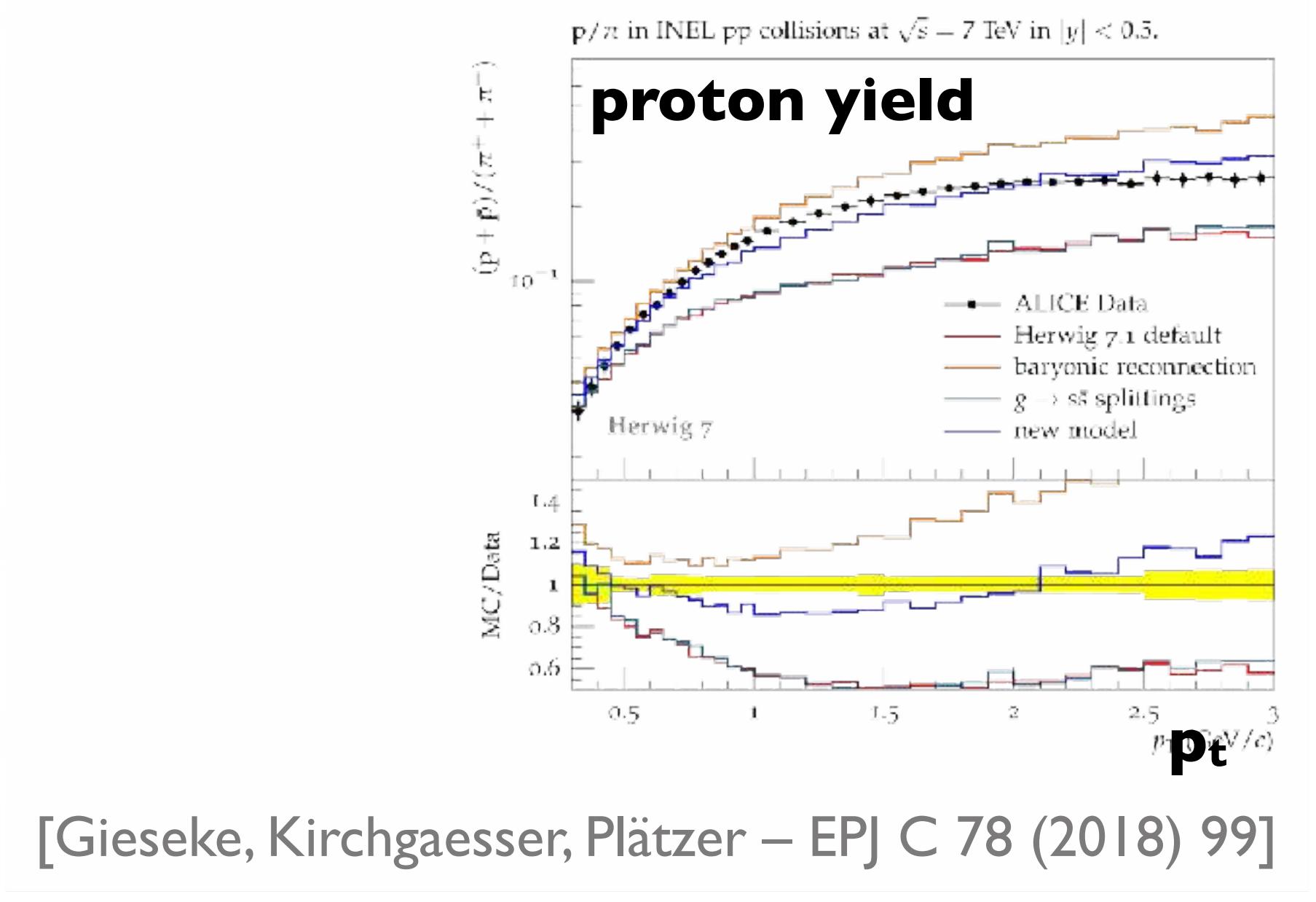
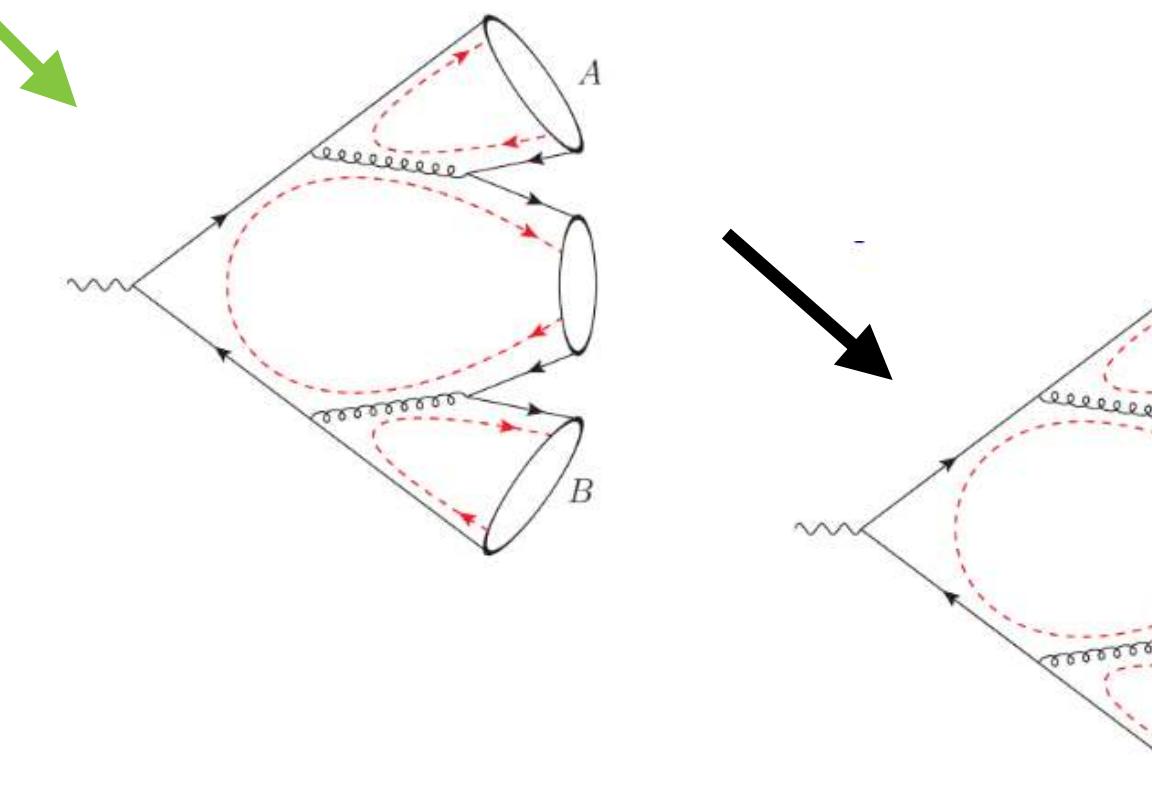
$$\partial_S \mathbf{A}_n = \Gamma_{n,S} \mathbf{A}_n + \mathbf{A}_n \Gamma_{n,S}^\dagger - \sum_{s \geq 1} \alpha_S^s \mathbf{R}_{S,n}^{(s)} \mathbf{A}_{n-s} \mathbf{R}_{S,n}^{(s)\dagger}$$

$$\partial_S \mathbf{S}_n = -\tilde{\Gamma}_{S,n}^\dagger \mathbf{S}_n - \mathbf{S}_n \tilde{\Gamma}_{S,n} + \sum_{s \geq 1} \alpha_S^s \int \tilde{\mathbf{R}}_{S,n+s}^{(s)\dagger} \mathbf{S}_{n+s} \tilde{\mathbf{R}}_{S,n+s}^{(s)} \prod_{i=n+1}^{n+s} [dp_i] \tilde{\delta}(p_i)$$

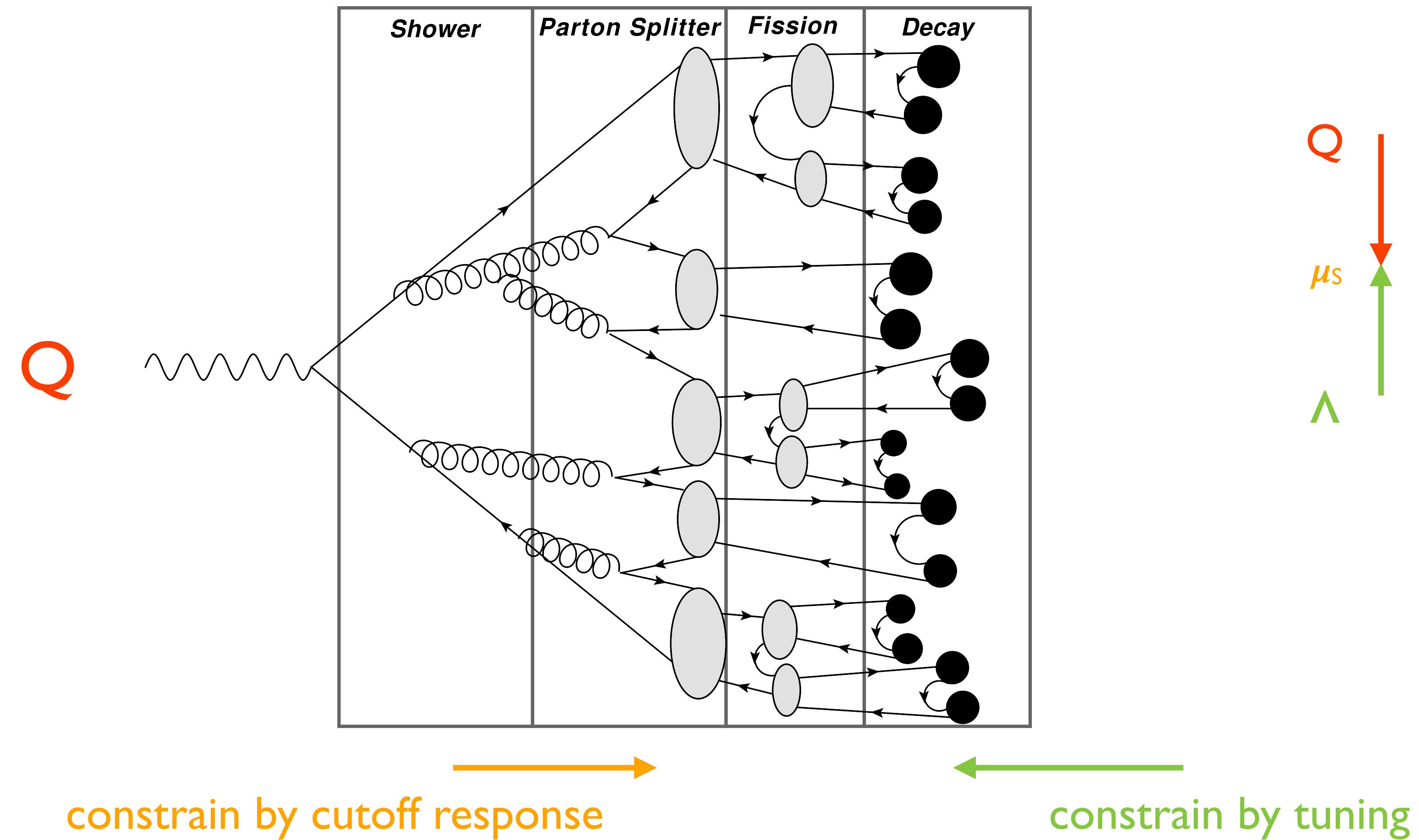
$$\partial_S \equiv \partial / \partial \log \mu_S$$



Reproduce key features of “high energy end” of cluster hadronization.

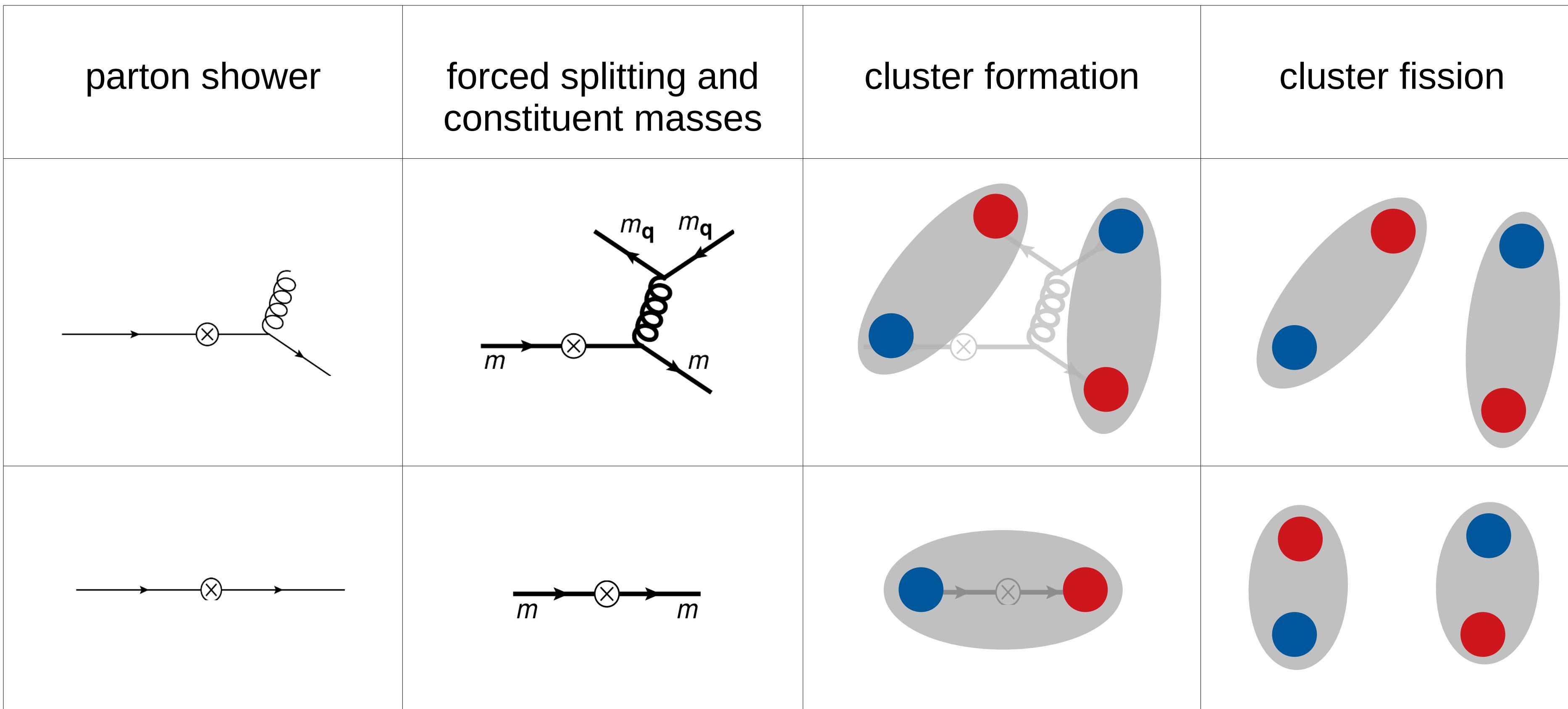


Cornering models



Matching the cluster model to the shower

Soft limit of shower needs to reproduce UV limit of hadronization

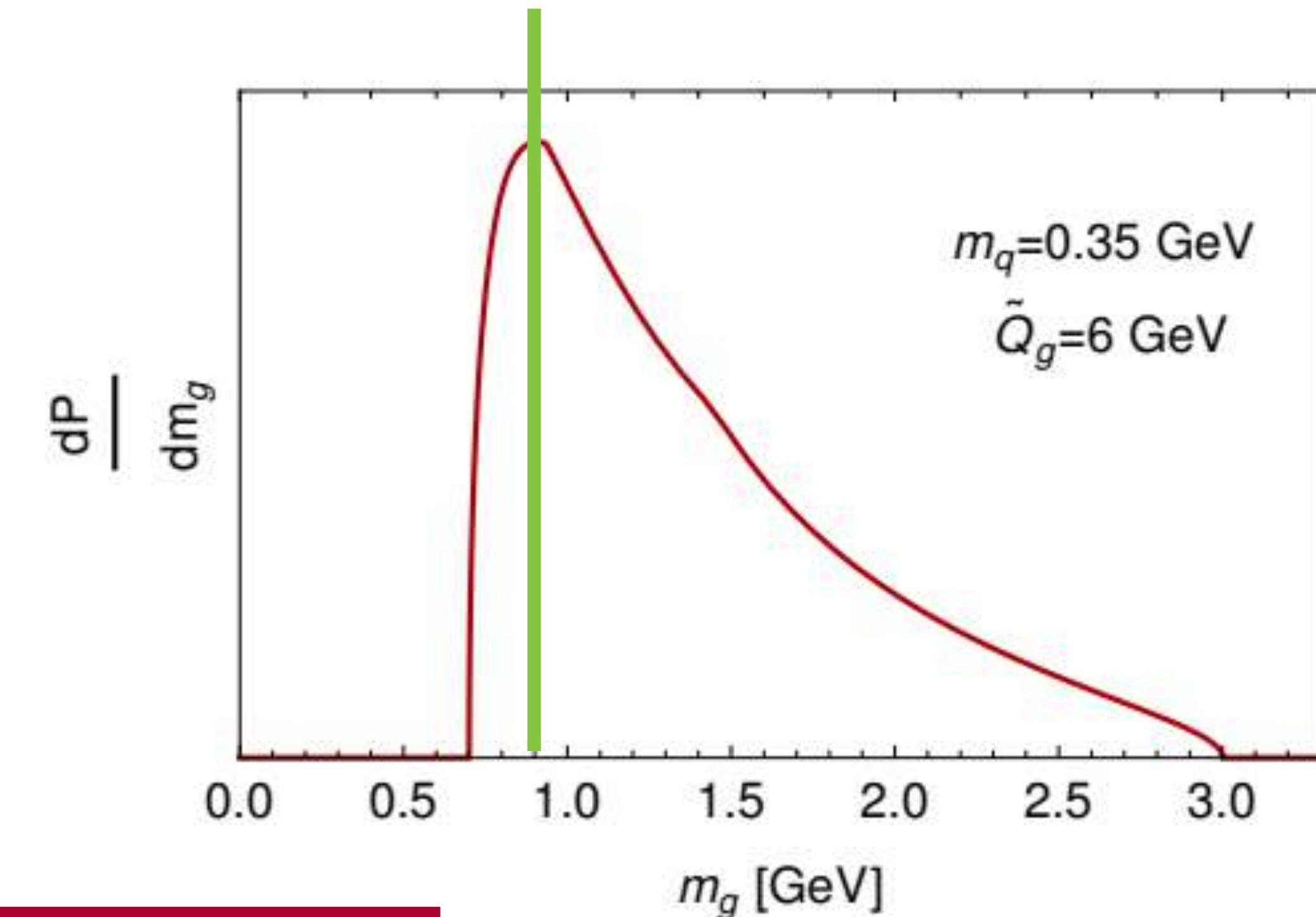
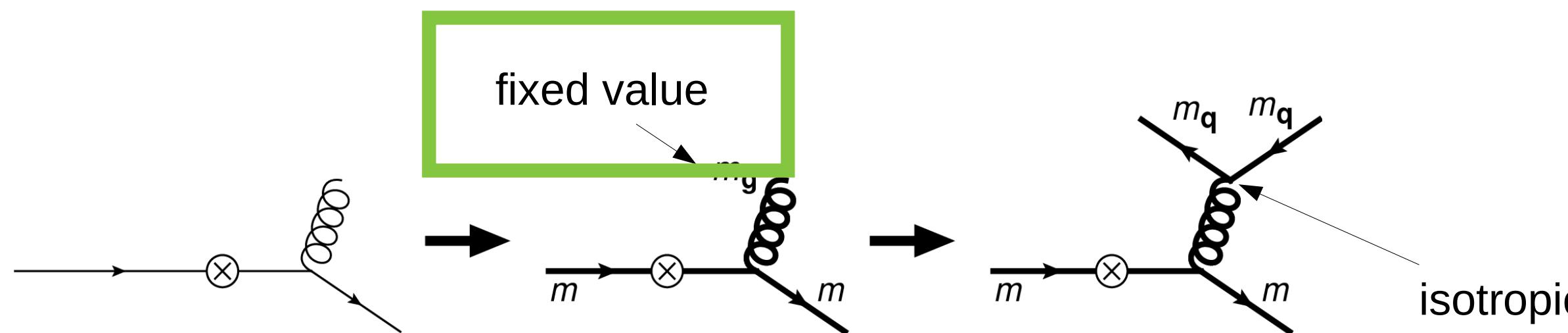


figures by Daniel Samitz

[Hoang, Plätzer, Samitz — in progress]

Gluon splitting

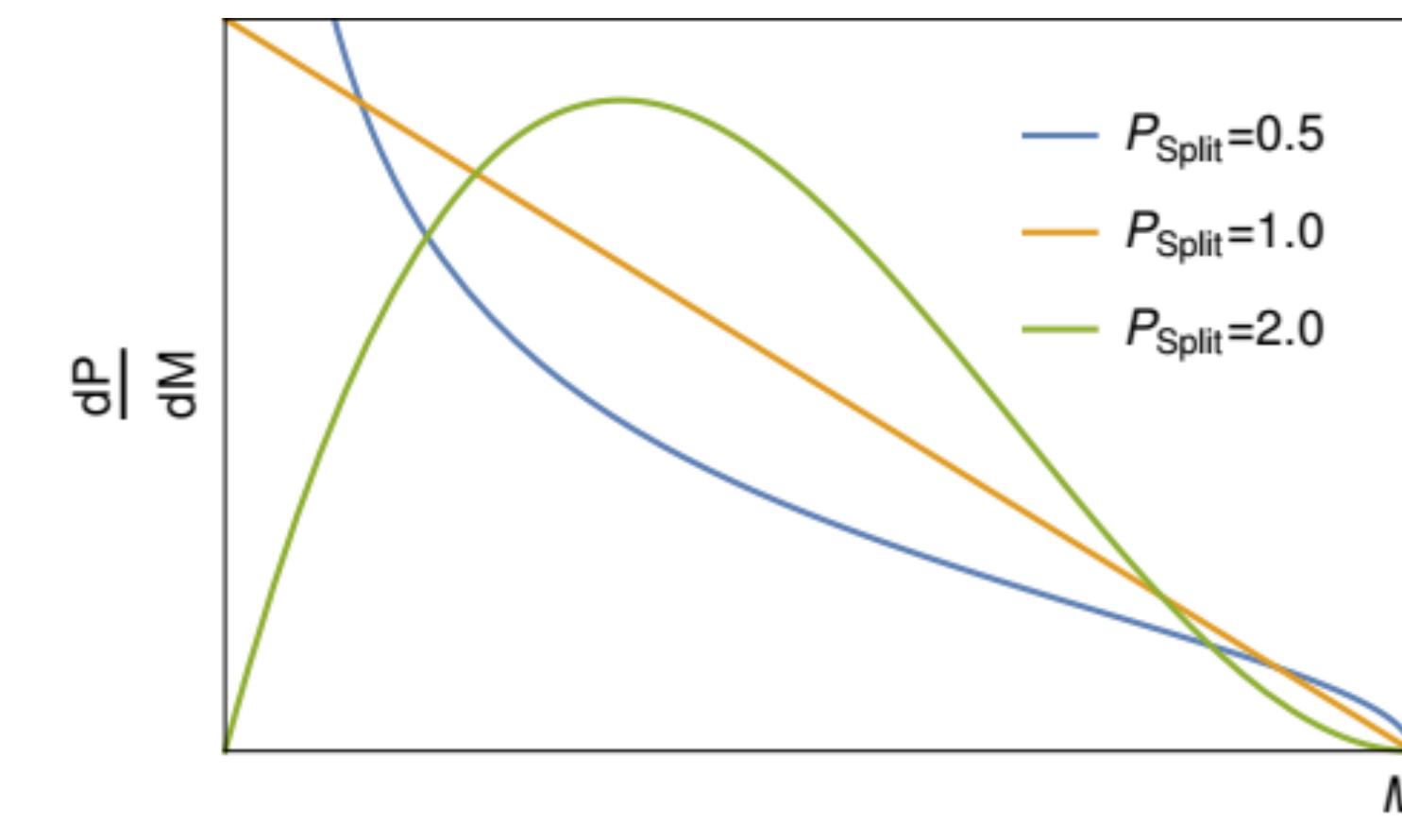
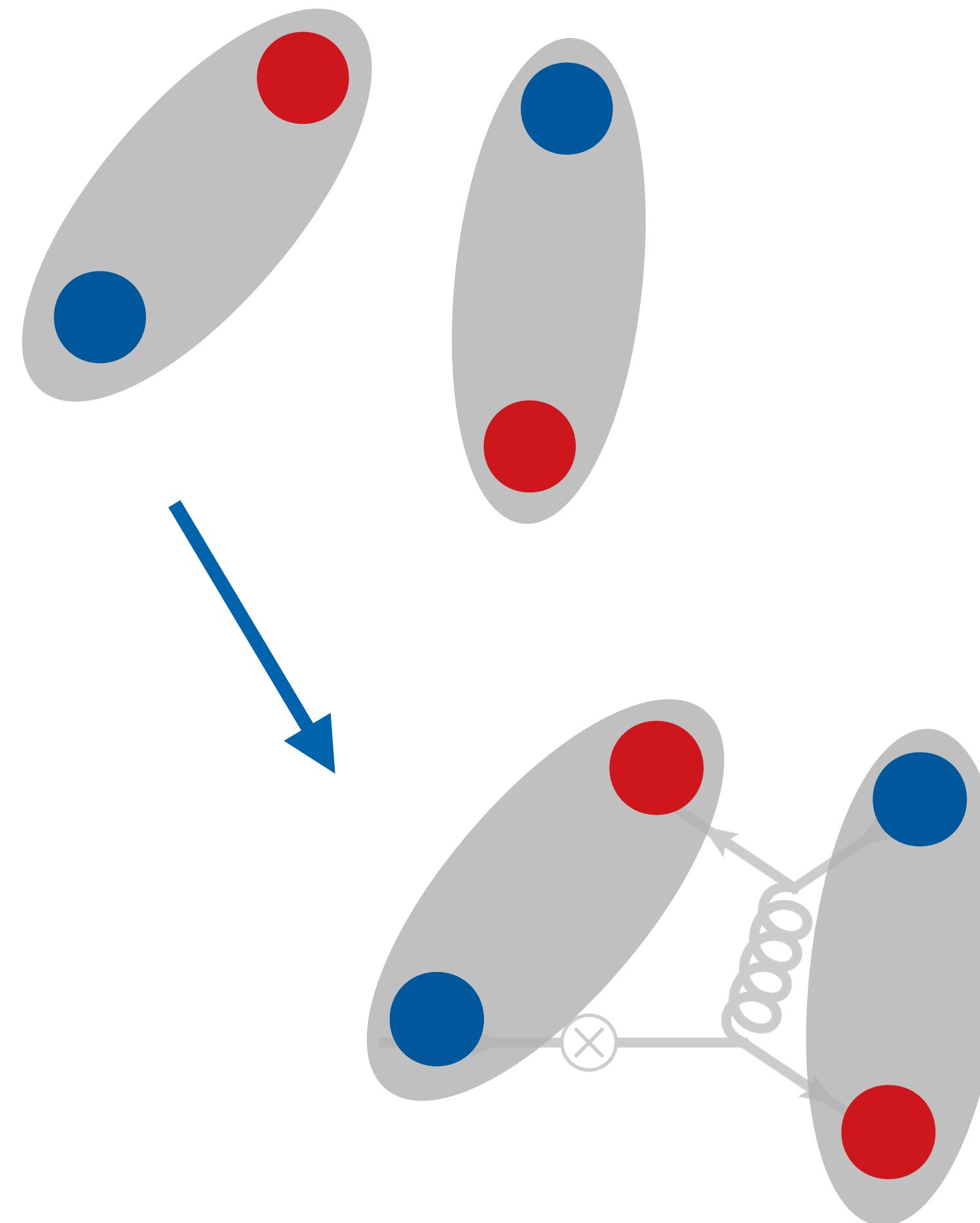
Default choice versus mass distribution from infrared continued splitting function



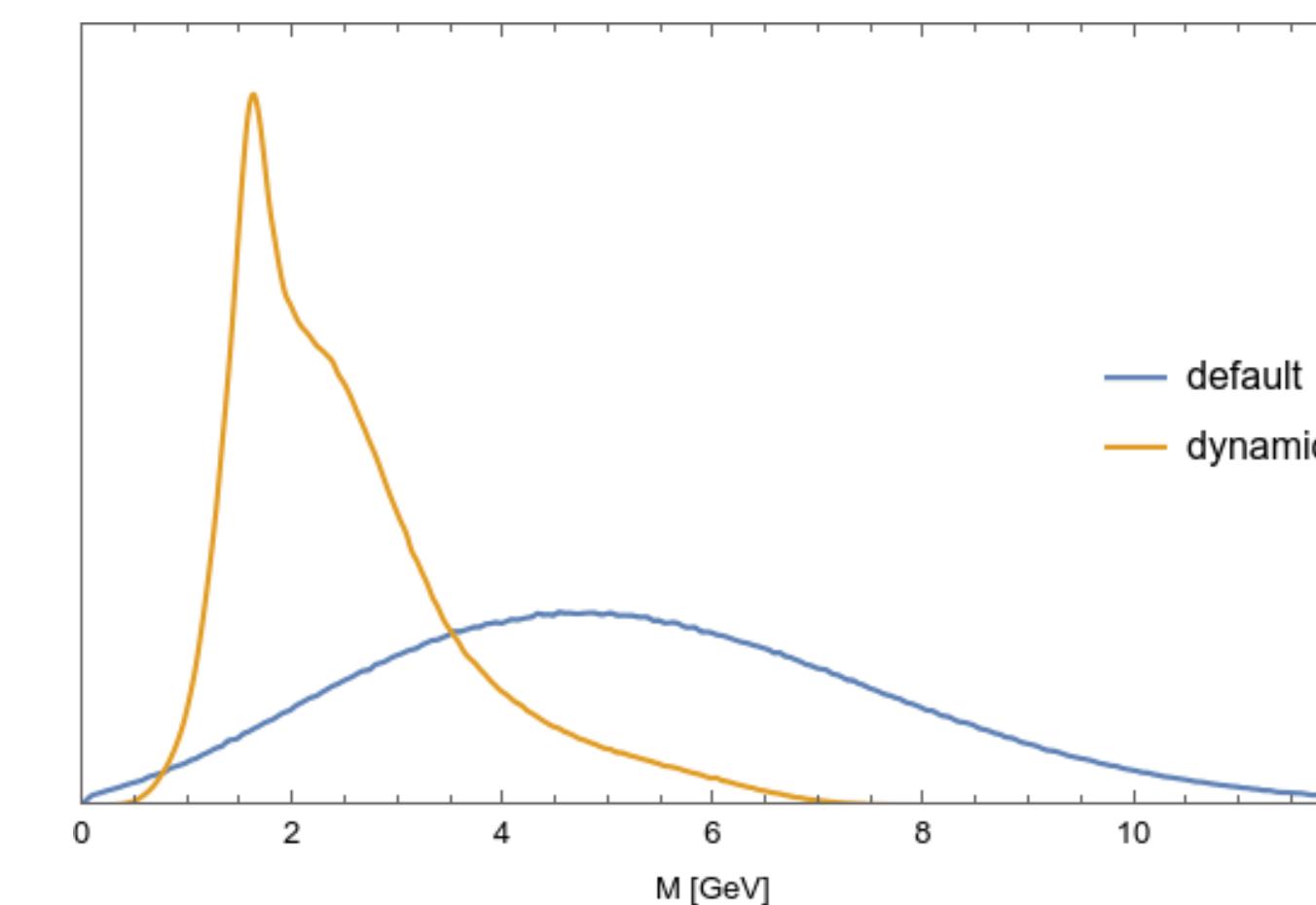
$$dP(g \rightarrow q\bar{q}) \sim \frac{dq^2}{q^2} \alpha_s(q^2) \left(1 - 2z(1-z) + \frac{2m_q^2}{q^2} \right) \Theta(q^2 z(1-z) - m_q^2)$$

Cluster fission

Embed infrared continued parton branchings to also obtain cluster mass spectra



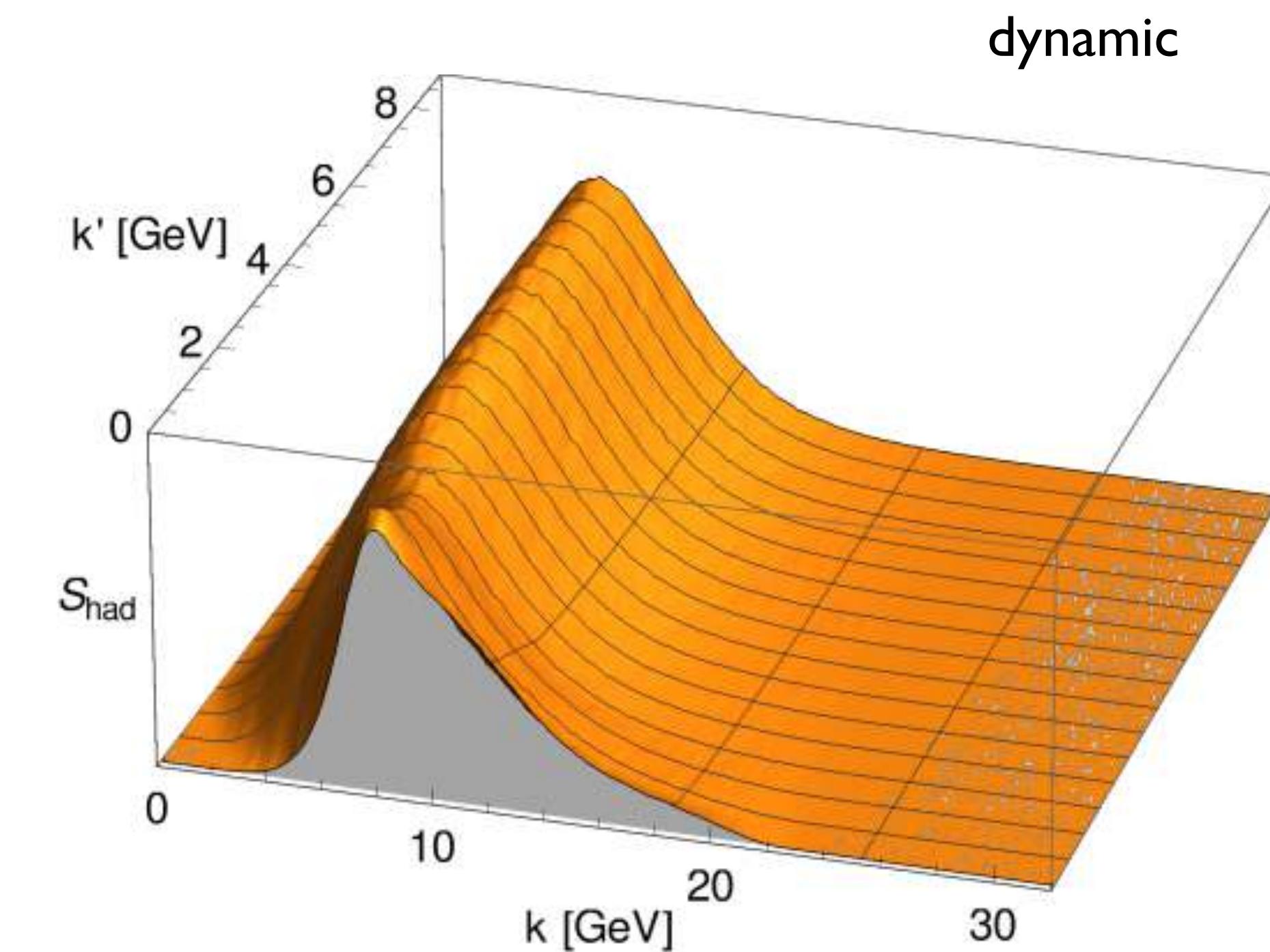
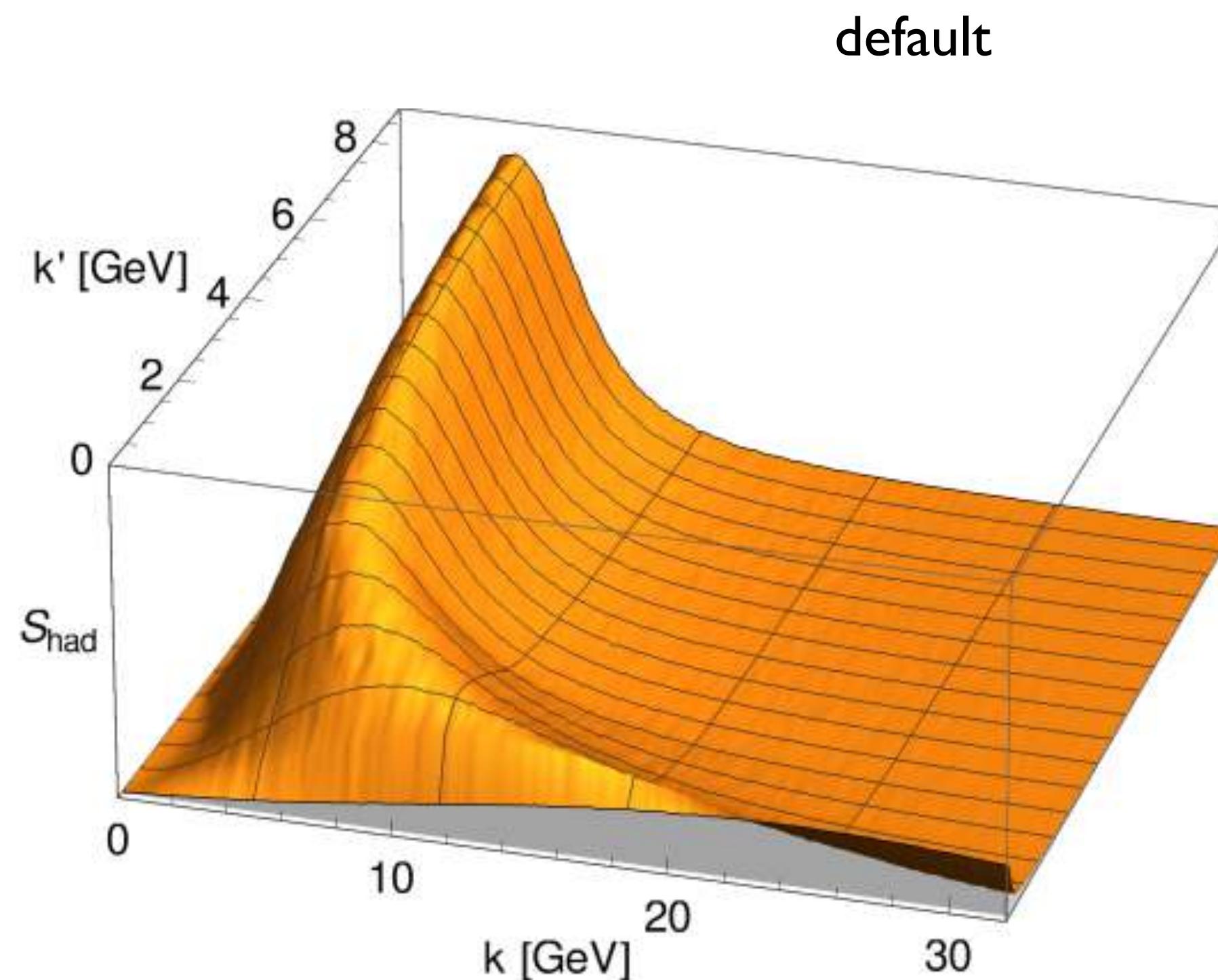
tuned by P_{split}
typically very steep



tuned by infrared
shower scale

Tuning and hadronization corrections

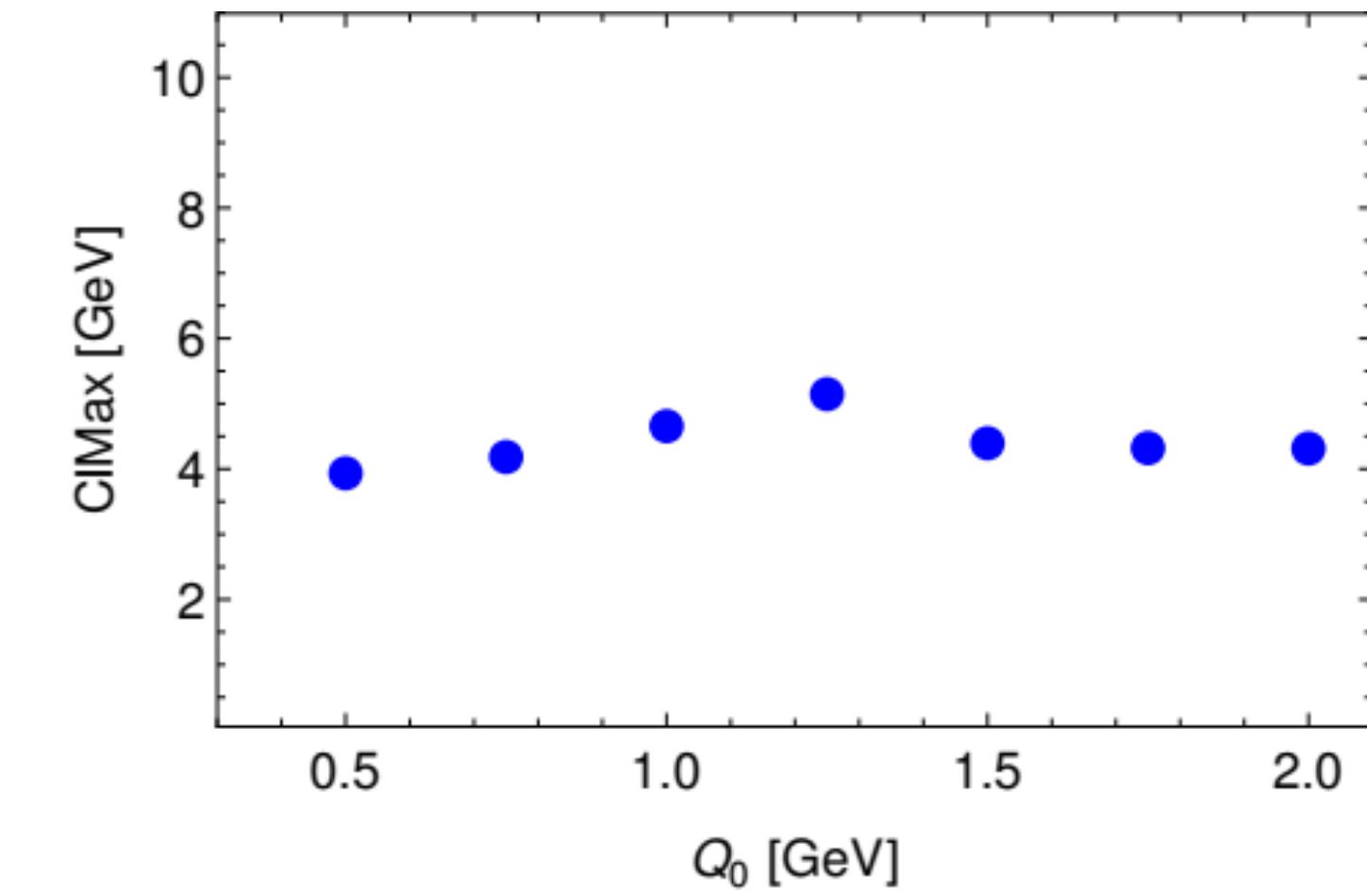
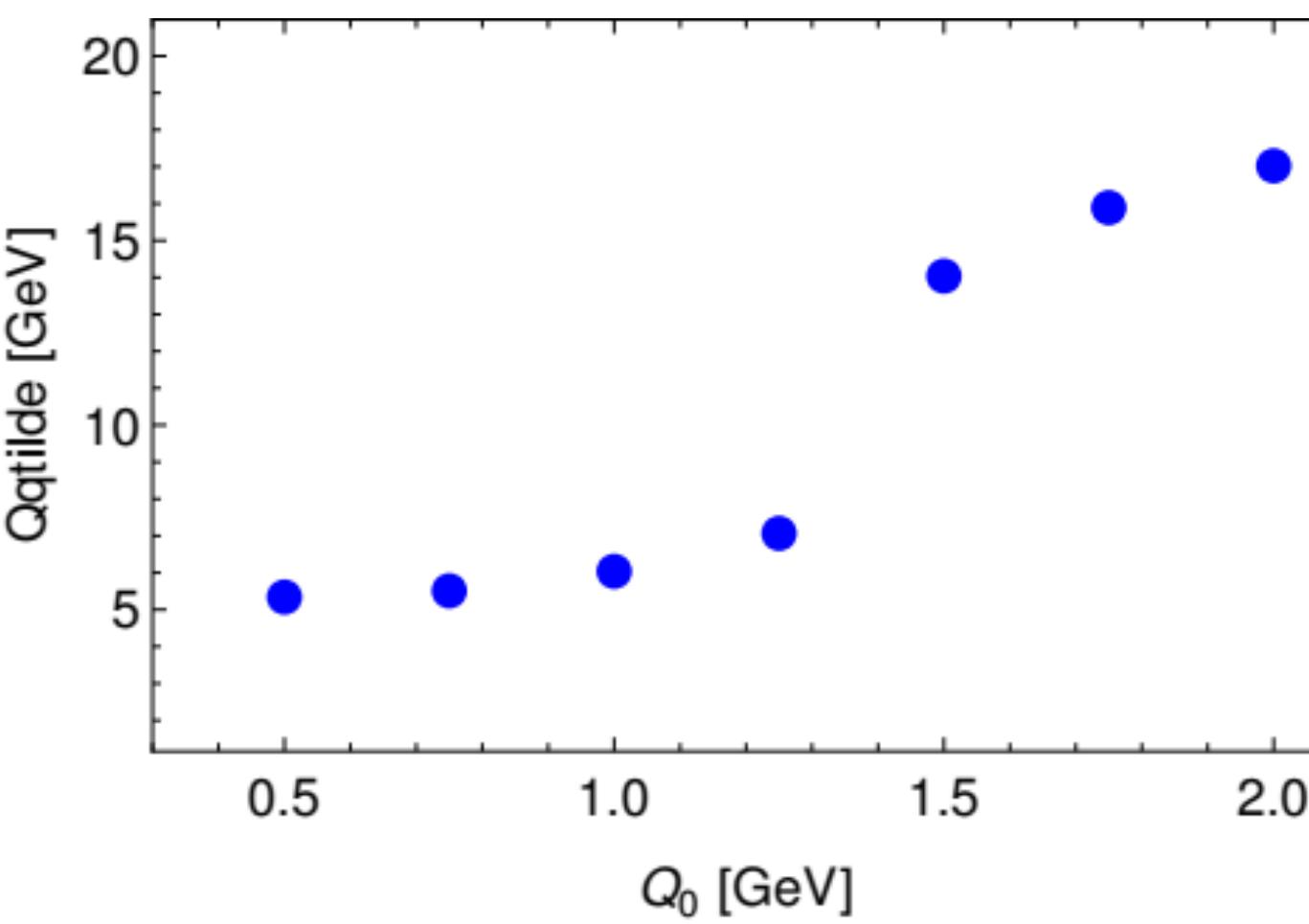
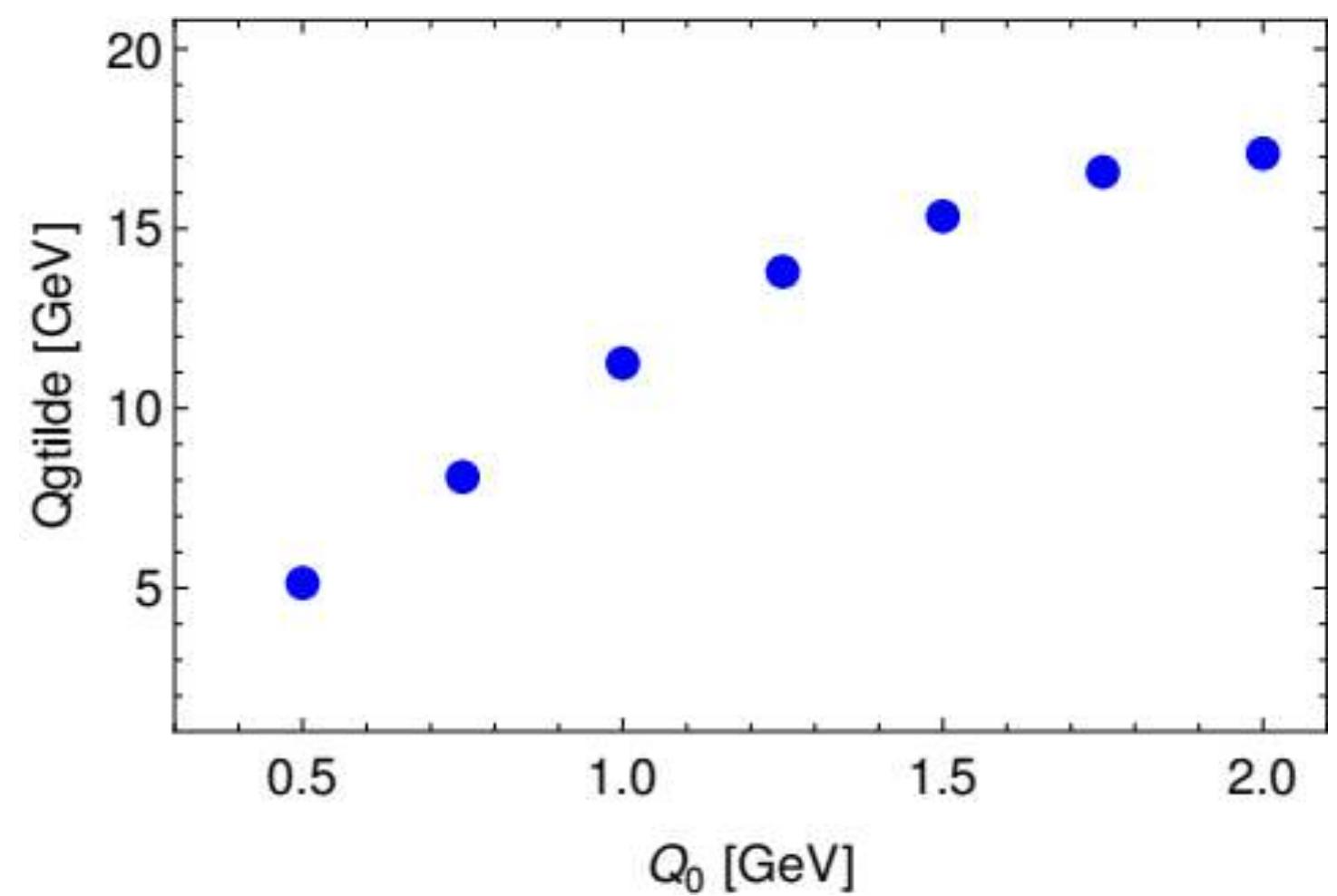
Significantly different shapes of hadronization corrections



C parameter parton versus hadron level

[Hoang, Plätzer, Samitz — in progress]

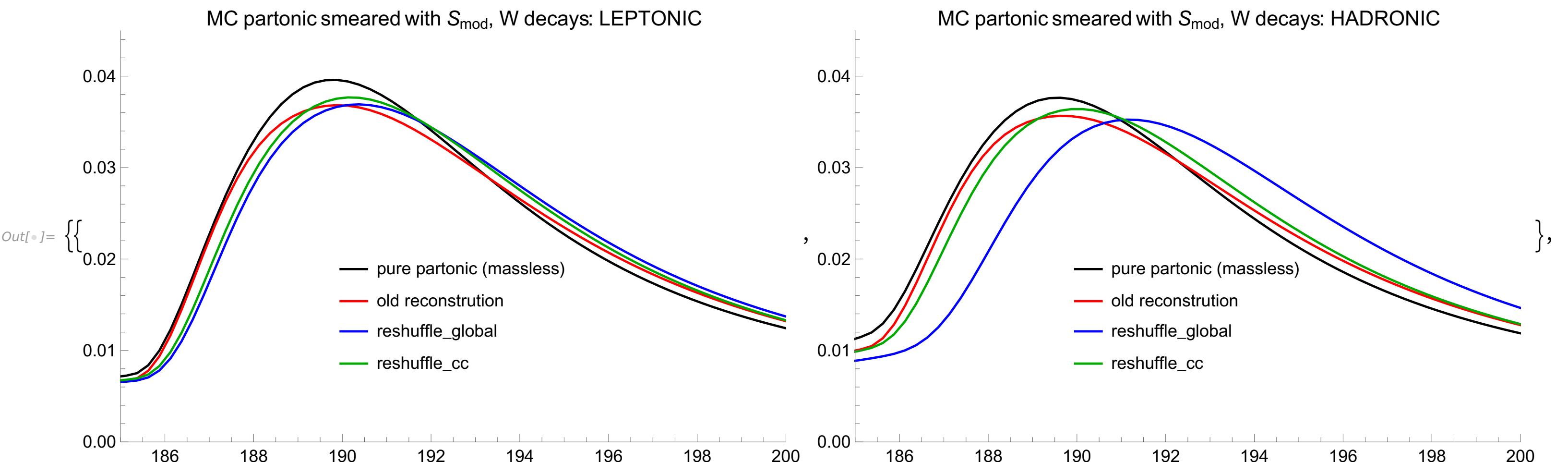
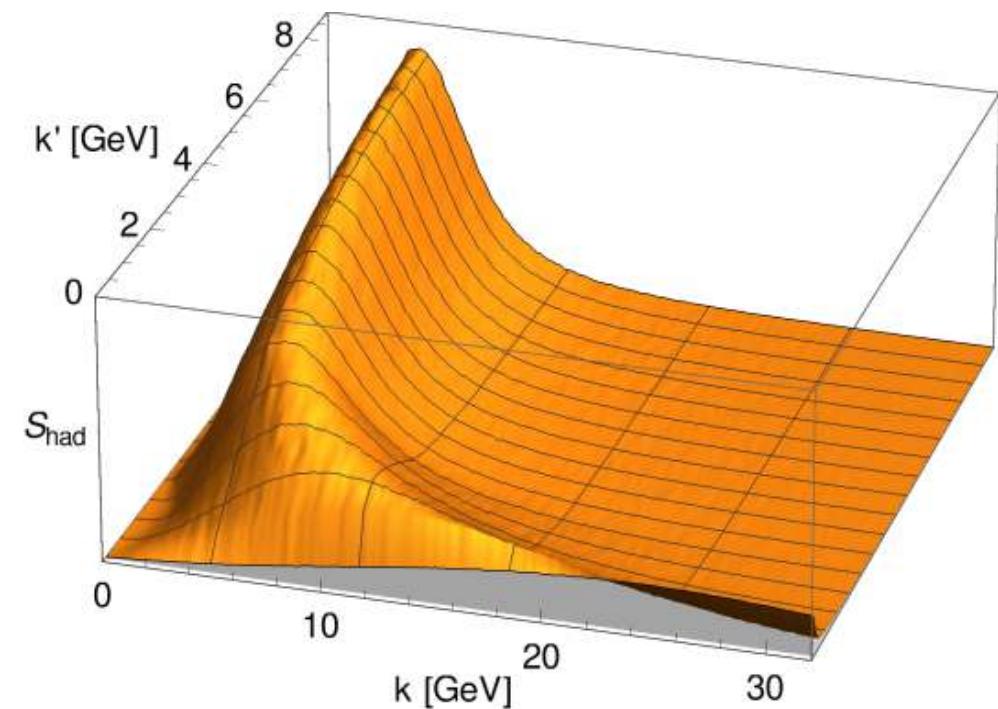
Cutoff response



Gluon splitting and cluster fission drivers pick up cutoff dependence.

Significantly reduced sensitivity
to other cluster parameters.

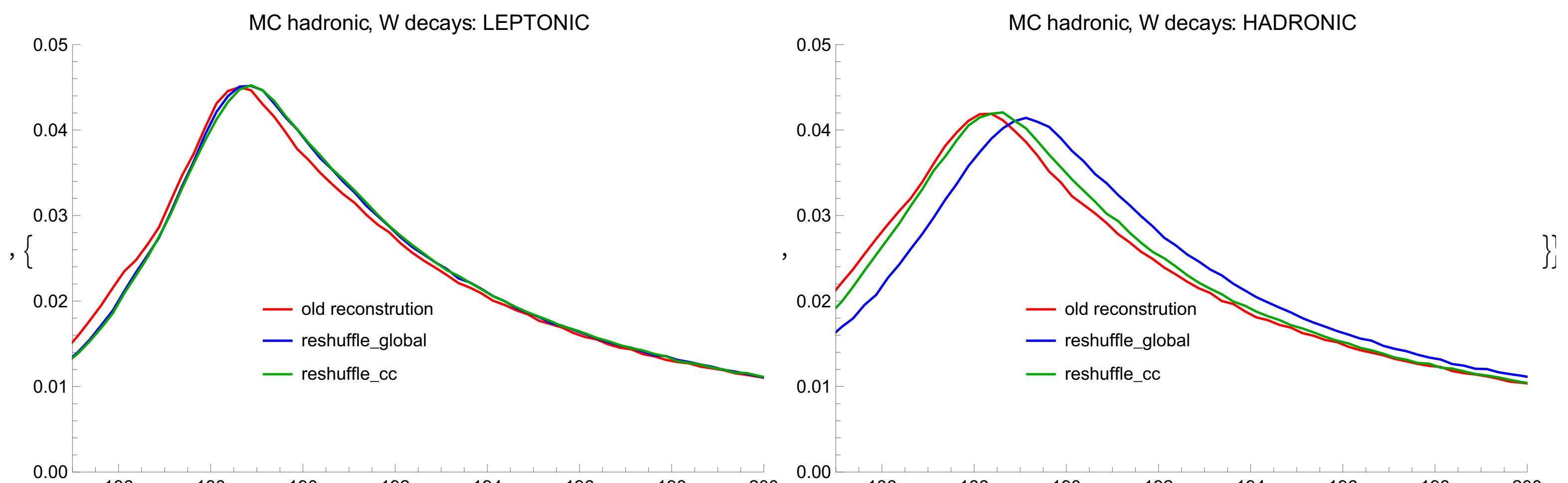
The issue of constituent masses



Constituent masses in
kinematic reconstruction.

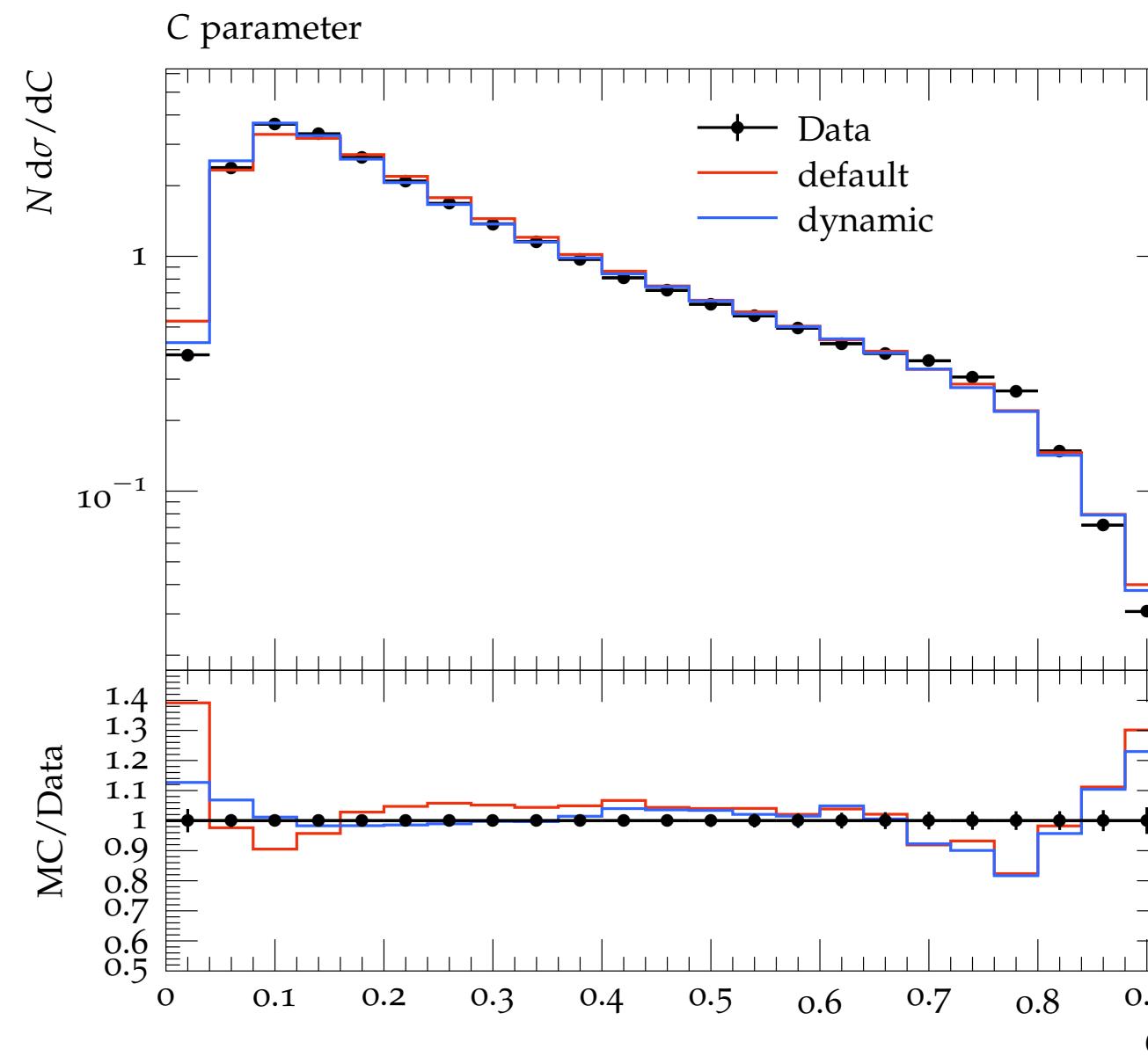
Reshuffle globally at
beginning of hadronization.

Reshuffle colour singlets at
beginning of hadronization.

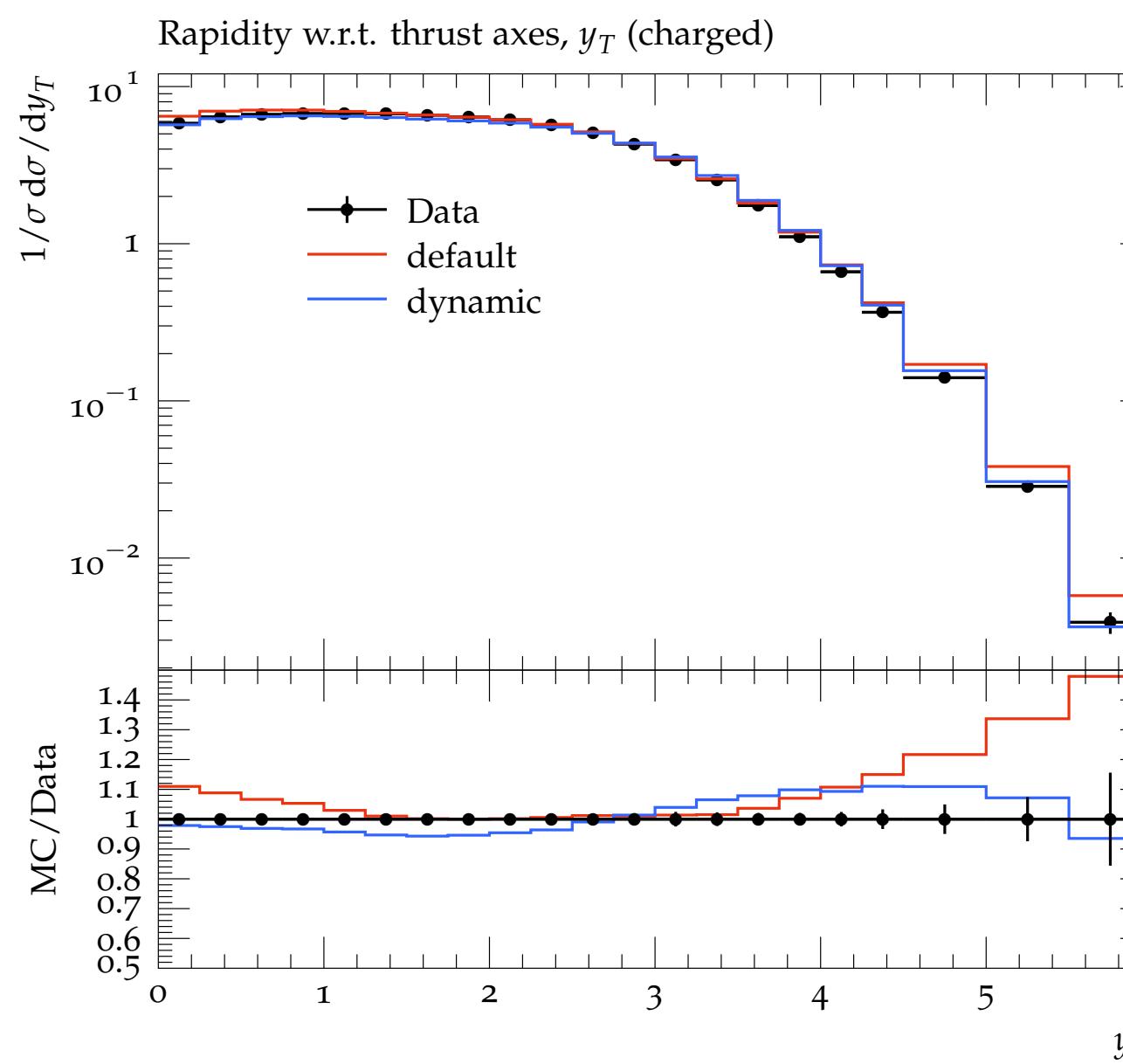


First new results

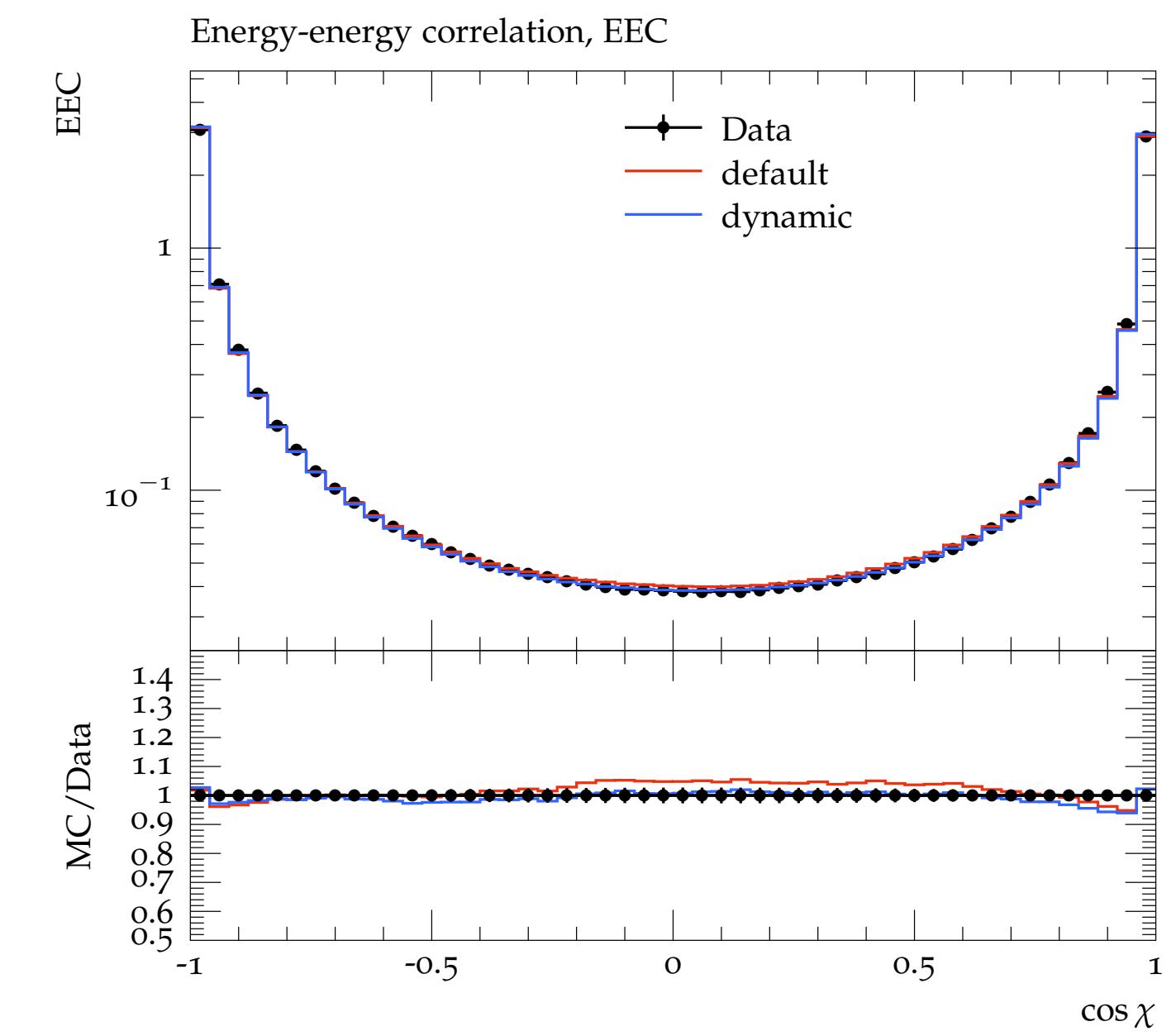
Tuning campaign underway ...



C parameter



rapidity wrt thrust



EEC

We must understand how hadronization models respond to shower variations — they do not live in isolation, and we shouldn't be tuning the shower cutoff.

- Obvious in hadronization corrections from factorized cross sections in SCET:
Soft functions do obey R evolution.
- Obvious also from analysing evolution equations in colour space, which contain (dipole) showers as limiting algorithms.

Both paradigms can and should be used to *construct models* at their “ultraviolet” end.

We are currently pursuing this for the Herwig cluster model — alongside many other developments like infrared continuations of the strong coupling and related.

Dark cluster hadronization

Current hadronization module is too deeply rooted in SM QCD, and otherwise lacks flexibility.



Balance pressure of
excavation walls ...

Dig deep and rebuild — in light of
models beyond $SU(N)$, and deeper
insight on the latter.

Construction site of Vienna's new U5 subway line ([kurier.at](#))
Not just a new line, bridging a gap ... U1,2,3,4 and 6 do exist ...

Thank you!

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Herwig 7.3 coming soon ...