Efficient UHECR simulations with PrINCE and what they taught us so far

Xavier Rodrigues Ruhr-University Bochum

> CRPropa Workshop Madrid, Sep 14 2022

The novel PriNCe framework
 Combined source-propagation models
 Two recent applications

UHECR Transport Equation



UHECR Transport Equation

- About 50 × number of E-bins coupled differential equations
- All coefficients time and energy dependent .
- Fast computation times needed to study cross-section / photon-field uncertainties

adiabatic cooling



Propagation Code - PriNCe https://github.com/joheinze/PriNCe

Propagation including Nuclear Cascade equations

Primary (interacting) nucleus

 Written in pure Python using Numpy and Scipy

Propagation Code - PriNCe https://github.com/joheinze/PriNCe Propagation including Nuclear Cascade equations Primary (interacting) nucleus Written in pure Python using Numpy and Scipy Specifically makes use of sparse matrix structure nucleus/particle (e)ected) econdary The problem is sparse!! Only ~2% non zero $Y_t Y_i(E, z) = + \partial_E (HEY_i) - \partial_E \left(\frac{dE}{dt}Y_i\right) - \Gamma_i Y_i + \sum_i Q_{j \to i} + \mathcal{L}_i$

Propagation Code - PriNCe https://github.com/joheinze/PriNCe Propagation including Nuclear Cascade equations Primary (interacting) nucleus Written in pure Python using Numpy and Scipy Specifically makes use of sparse matrix structure 20s - 40sfor single spectrum nucleus/particl (depending on number of system species) More efficient to study model uncertainties than The problem is sparse!! Monte-Carlo (cross-section, Only ~2% non zero photon fields etc.) $Y_t Y_i(E, z) = + \partial_E (HEY_i) - \partial_E \left(\frac{dE}{dt}Y_i\right) - \Gamma_i Y_i + \sum_i Q_{j \to i} + \mathcal{L}_i$

First results (Heinze et al 2019, ApJ 873)

For combination Talys – Sibyll 2.3

- Fit mainly sensitive to envelope of cutoffs
- Fit-range insensitive above z = 1!
- Composition below ankle proton dominated (by construction) ...



E [GeV]

12





Blueprint of a source-propagation model



Blueprint of a source-propagation model





Blueprint of a source-propagation model



Rodrigues, Heinze, Palladino, van Vliet and Winter, PRL 126 (2021)



Rodrigues, Heinze, Palladino, van Vliet and Winter, PRL 126 (2021)



Rodrigues, Heinze, Palladino, van Vliet and Winter, PRL 126 (2021)



Rodrigues, Heinze, Palladino, van Vliet and Winter, PRL 126 (2021)



Rodrigues, Heinze, Palladino, van Vliet and Winter, PRL 126 (2021)





PAVLO PLOTKO (),¹ ARJEN VAN VLIET (),^{1,2} XAVIER RODRIGUES (),^{1,3} AND WALTER WINTER ()¹ arXiv:2208.12274

$$\begin{split} \boldsymbol{\lambda}_{\text{cosmo}} &= (\gamma_{\text{cosmo}}, R_{\text{cosmo}}^{\text{max}}, m_{\text{cosmo}}, \mathcal{L}_{\text{cosmo}}^{\text{CR}}, \boldsymbol{f}_{\text{A}}^{\text{cosmo}}), \\ \boldsymbol{\lambda}_{\text{local}} &= (\gamma_{\text{local}}, R_{\text{local}}^{\text{max}}, D_{\text{local}}, L_{\text{local}}^{\text{CR}}, A_{\text{local}}). \end{split}$$

PAVLO PLOTKO ^(D), ¹ ARJEN VAN VLIET ^(D), ^{1,2} XAVIER RODRIGUES ^(D), ^{1,3} AND WALTER WINTER ^(D) ¹ arXiv:2208.12274⁻



PAVLO PLOTKO ^(D), ¹ ARJEN VAN VLIET ^(D), ^{1,2} XAVIER RODRIGUES ^(D), ^{1,3} AND WALTER WINTER ^(D) ¹ arXiv:2208.12274⁻



PAVLO PLOTKO (1),¹ ARJEN VAN VLIET (1),^{1,2} XAVIER RODRIGUES (1),^{1,3} AND WALTER WINTER (1),¹ arXiv:2208.12274



PAVLO PLOTKO ^(D), ¹ ARJEN VAN VLIET ^(D), ^{1,2} XAVIER RODRIGUES ^(D), ^{1,3} AND WALTER WINTER ^(D) ¹ arXiv:2208.12274



PAVLO PLOTKO (),¹ ARJEN VAN VLIET (),^{1,2} XAVIER RODRIGUES (),^{1,3} AND WALTER WINTER ()¹ arXiv:2208.12274



PAVLO PLOTKO ^(D), ¹ ARJEN VAN VLIET ^(D), ^{1,2} XAVIER RODRIGUES ^(D), ^{1,3} AND WALTER WINTER ^(D) ¹ arXiv:2208.12274

Application 2: testing astrophysics vs systematics Energy-dependent shift



PAVLO PLOTKO ^(D), ¹ ARJEN VAN VLIET ^(D), ^{1,2} XAVIER RODRIGUES ^(D), ^{1,3} AND WALTER WINTER ^(D) ¹ arXiv:2208.12274⁻



PAVLO PLOTKO ^(D), ¹ ARJEN VAN VLIET ^(D), ^{1,2} XAVIER RODRIGUES ^(D), ^{1,3} AND WALTER WINTER ^(D) ¹ arXiv:2208.12274

What we need: better tools for joint treatment of composition data from both experiments (starting with more information on the acceptance and resolution for TA Xmax analysis)

What we can do while we wait: combine the spectrum/composition constraints from the PrINCe approach with directional capabilities of the CRPropa approach

Backup

_		cosmological source distribution only			cosmological source distribution + local source		
		SIBYLL 2.3C	Epos-LHC	QGSJET-II-04	SIBYLL 2.3C	Epos-LHC	QGSJET-II-04
smological source distrib.	$\gamma_{ m cosmo}$	$-0.75^{+0.15}_{-0.15}$	$0.10^{+0.05}_{-0.1}$	$-0.60^{+0.03}_{-0.05}$	$-0.75^{+0.15}_{-0.45}$	$-0.85^{+0.05}_{-0.05}$	$-0.65\substack{+0.05\\-0.03}$
	$R_{ m cosmo}^{ m max}$ (GV)	$1.8^{+0.2}_{-0.2} \times 10^9$	$2.5^{+0.2}_{-0.2} \times 10^9$	$2.5^{+0.2}_{-0.2} \times 10^9.$	$1.8^{+0.2}_{-0.2} \times 10^9$	$2.0^{+0.2}_{-0.2} \times 10^9$	$2.5^{+0.2}_{-0.2} \times 10^9$
	$m_{ m cosmo}$	$3.6^{+0.6}_{-0.6}$	< -4.8	< -5.8	$3.8^{+0.6}_{-0.6}$	$0.6^{+0.6}_{-0.6}$?	< -5.8
	$f_A(\%)$	S. 513					
	Н	$0.004^{+99.996}_{-0.004}$	$0.000^{+86.756}_{-0.000}$	$0.002^{+99.881}_{-0.002}$	$0.004^{+99.928}_{-0.004}$	$0.001\substack{+99.879\\-0.001}$	$0.000^{+84.659}_{-0.000}$
	He	$86.096^{+1.986}_{-2.256}$	$88.799\substack{+0.329\\-0.338}$	$92.588^{+0.258}_{-0.266}$	$80.504\substack{+4.150\\-4.948}$	$92.125_{-0.514}^{+0.485}$	$92.471_{-0.270}^{+0.261}$
	N	$13.324\substack{+0.728\\-0.696}$	$10.578\substack{+0.414\\-0.400}$	$7.222^{+0.291}_{-0.281}$	$18.803\substack{+0.936\\-0.901}$	$7.738^{+0.308}_{-0.298}$	$7.375^{+0.207}_{-0.202}$
	Si	$0.567^{+0.113}_{-0.094}$	$0.609^{+0.110}_{-0.093}$	$0.181\substack{+0.034\\-0.028}$	$0.676^{+0.266}_{-0.192}$	$0.133\substack{+0.045\\-0.034}$	$0.147^{+0.033}_{-0.027}$
8	Fe	$0.010\substack{+0.008\\-0.004}$	$0.015\substack{+0.017\\-0.008}$	$0.007^{+0.003}_{-0.002}$	$0.012\substack{+0.012\\-0.006}$	$0.003\substack{+0.003\\-0.002}$	$0.005^{+0.002}_{-0.002}$
Loc. source	isotope				silicon-28	silicon-28	nitrogen-14
	$\gamma_{ m local}$				< -1.0	< -1.1	< -1.1
	$R_{ m local}^{ m max}~(m GV)$				$1.3^{+0.2}_{-0.1} \times 10^9$	$2.3^{+0.3}_{-0.1} imes 10^9$	$2.5^{+0.3}_{-0.3}\times10^9$
	$L_{ m local}^{ m CR}~({ m erg}~s^{-1})$				$1.1^{+2.0}_{-1.1} \times 10^{42}$	$7.3^{+18.0}_{-7.3} \times 10^{41}$	$< 1.0 \times 10^{40}$
	$D_{ m local} \ ({ m Mpc})$				$13.9^{+9.2}_{-13.9}$	$11.3^{+9.5}_{-11.3}$	< +1.4
Systematics	$\delta_E^{ m PAO}(\%)$	$-11.6^{+2.1}_{-0.5}$	$-8.97^{+1.1}_{-0.5}$	$10.8^{+0.0}_{-0.3}$	$-11.7^{+0.8}_{-1.5}$	$-9.5^{+0.5}_{-0.6}$	$10.9^{+0.9}_{-0.0}$
	$\delta_E^{\mathrm{TA}}(\%)$	$-20.5^{+1.9}_{-0.5}$	$-18.3^{+1.0}_{-0.4}$	$10.8^{+0.0}_{-0.3}$	$-19.7^{+0.7}_{-1.3}$	$-17.6^{+0.5}_{-0.6}$	$1.1^{+0.8}_{-0.00}$
	$\delta^{\mathrm{PAO}}_{\langle X_{\mathrm{max}} angle}(\%)$	-25^{+25}_{-27}	-100^{+0}_{-0}	-100^{+0}_{-0}	-26^{+26}_{-23}	-100^{+0}_{-0}	-100^{+0}_{-0}
	$\delta^{\mathrm{TA}}_{\langle X_{\mathrm{max}} \rangle}(\%)$	18^{+12}_{-12}	-18^{+5}_{-3}	-47^{+2}_{-0}	22^{+13}_{-11}	-12^{+4}_{-5}	-31^{+0}_{-2}
	$\delta^{\mathrm{PAO}}_{\sigma(X_{\mathrm{max}})}(\%)$	50^{+26}_{-30}	-59^{+15}_{-9}	100^{+0}_{-0}	56^{+27}_{-24}	-73^{+11}_{-11}	100^{+0}_{-0}
	$\delta^{\mathrm{TA}}_{\sigma(X_{\mathrm{max}})}(\%)$	-41^{+7}_{-9}	-90^{+4}_{-2}	3^{+3}_{-0}	-83^{+10}_{-9}	-100^{+0}_{-0}	-9^{+0}_{-3}
	χ^2 /d.o.f.	109.1/44	130.4/44	269.6/44	67.6/40	87.8/40	239.6/40
365 - 36	Favored vis-a-vis	25	A 1,555 - 2		5.6σ	5.7σ	4.6σ
2 I.	no local source		e		0.00	5.10	100

Table 1. Best-fit parameters corresponding to the results of the joint fit to PAO and TA. The 1σ uncertainty region is given for 1 d.o.f.

PAVLO PLOTKO ^(D), ¹ ARJEN VAN VLIET ^(D), ^{1,2} XAVIER RODRIGUES ^(D), ^{1,3} AND WALTER WINTER ^(D) arXiv:2208.12274^(C)



Local source of silicon-28 in the Northern Hemisphere





Extreme accelerator in the Northern sky



Extreme accelerator in the Northern sky



Direct comparison of TA and Auger fits



First results (Heinze et al 2019, ApJ 873)



